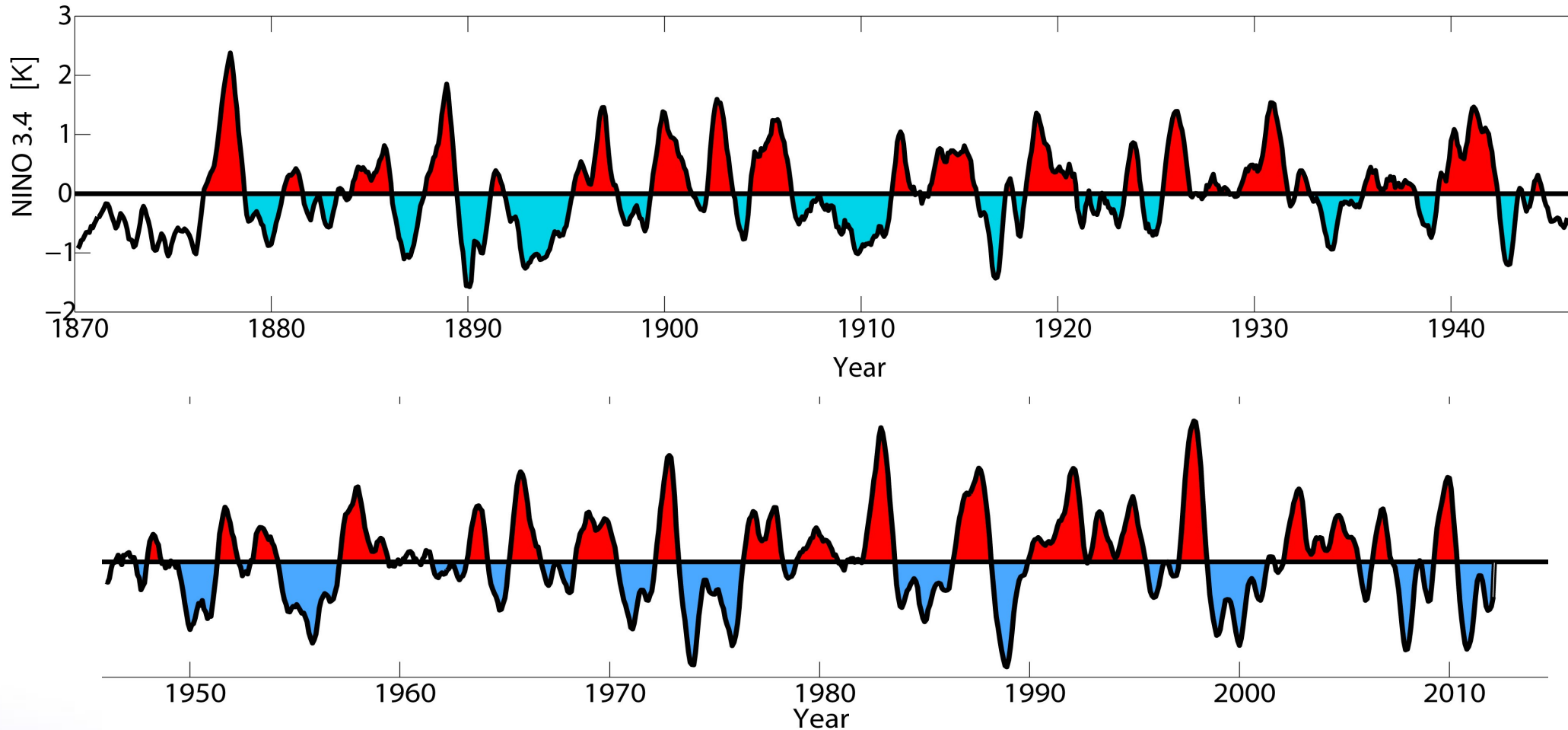


AGU Fall Meeting (Dec 7, 2012)

A proposed mechanism for ENSO asymmetries in Transition, Duration and Amplitude

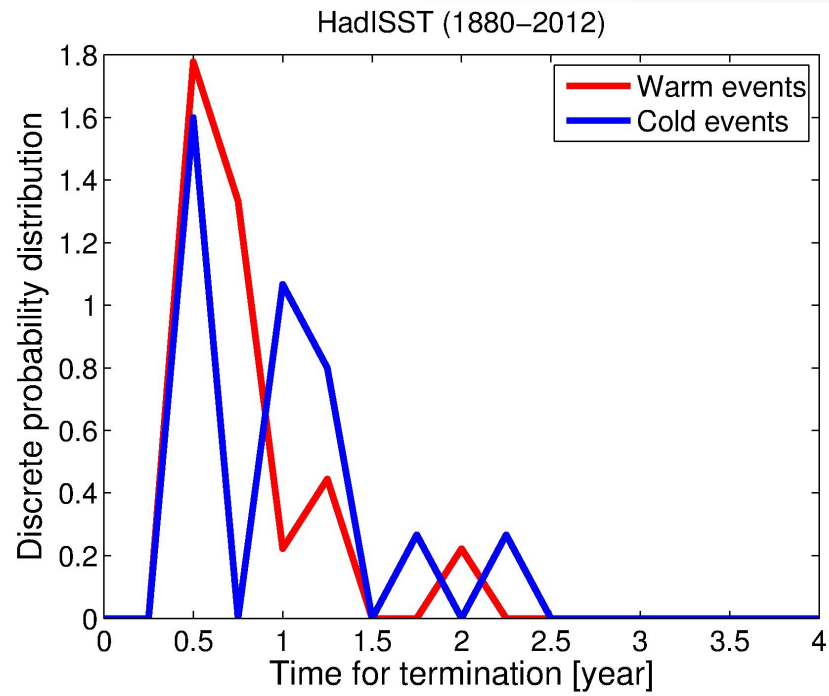
Kit Yan Choi (Princeton University)
Gabriel A. Vecchi (GFDL)

El Niño – Southern Oscillation

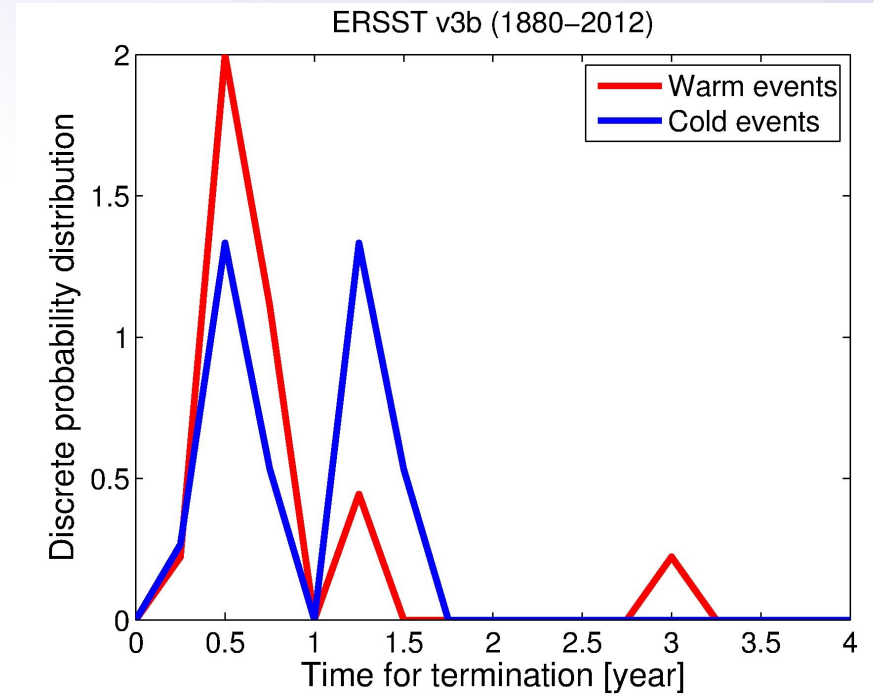
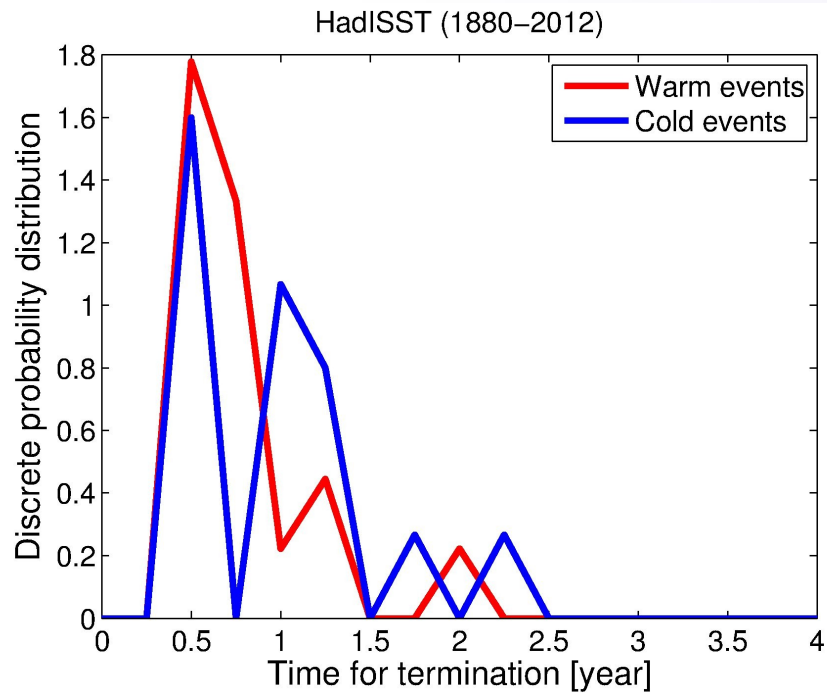


- Asymmetries:
- Amplitude: El Niño tends to be stronger than La Niña
 - Duration: La Niña persists longer
 - Sequencing: El Niño tends to be followed by La Niña

Asymmetry in duration: Cold events last longer

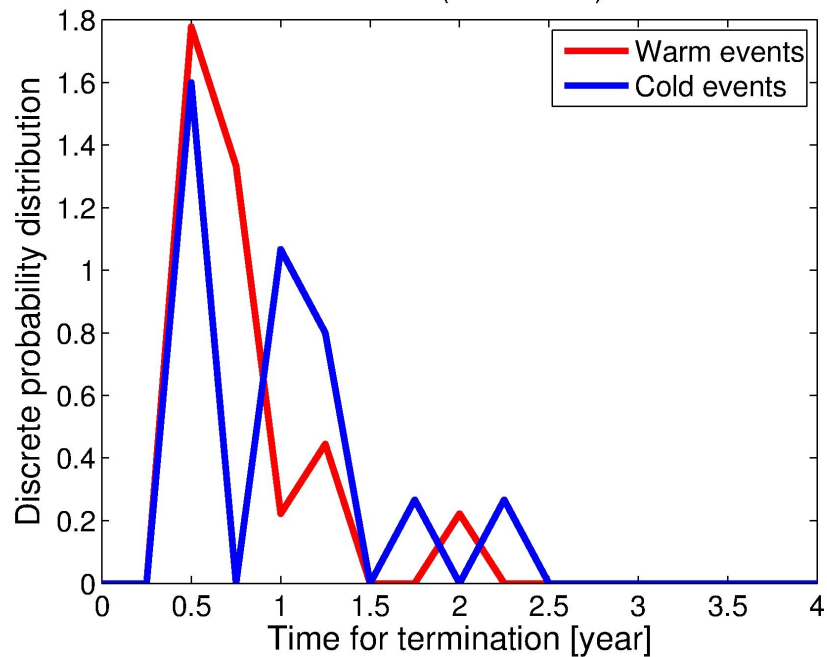


Asymmetry in duration: Cold events last longer

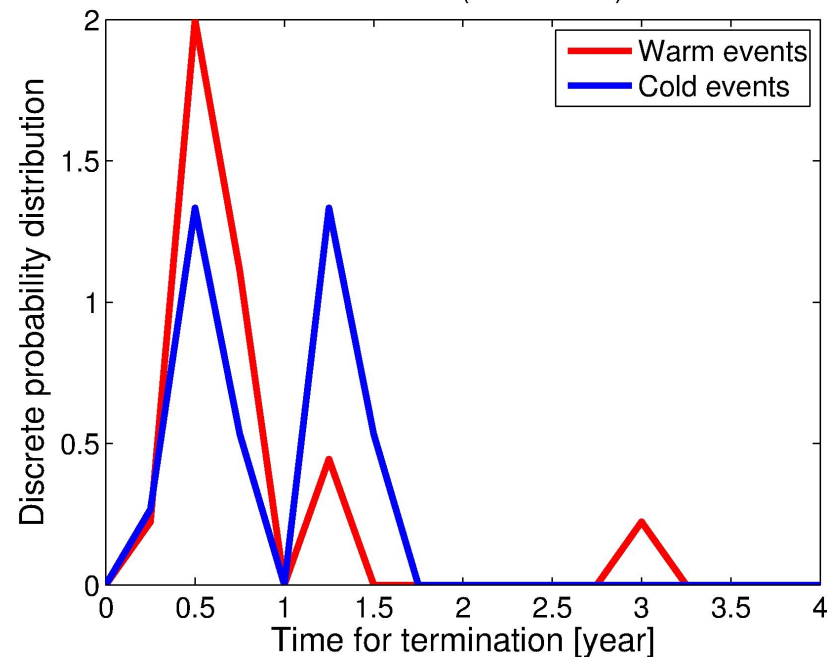


Asymmetry in duration: Cold events last longer

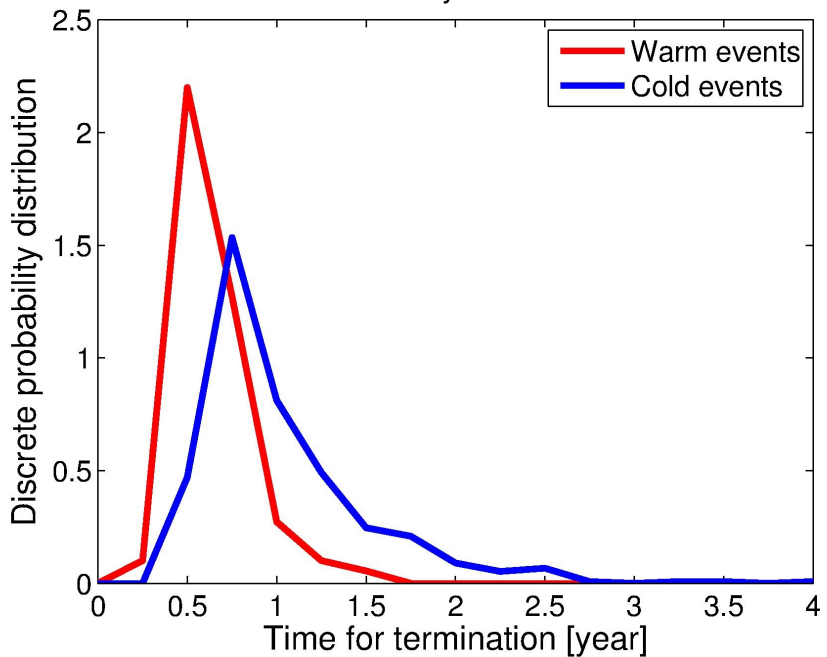
HadISST (1880–2012)



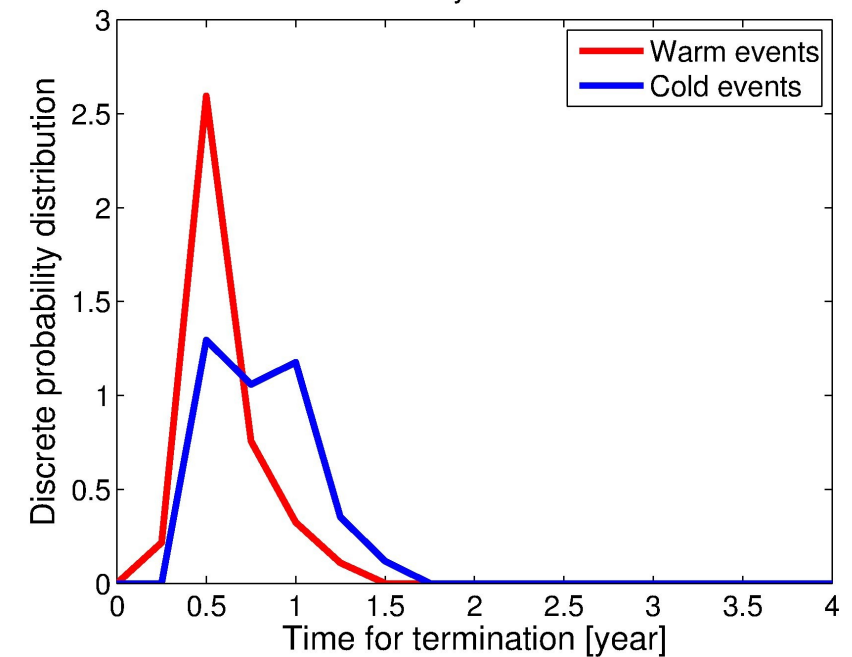
ERSST v3b (1880–2012)



CM2.1 4000-year control run

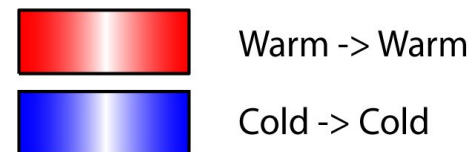
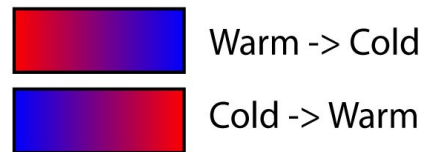
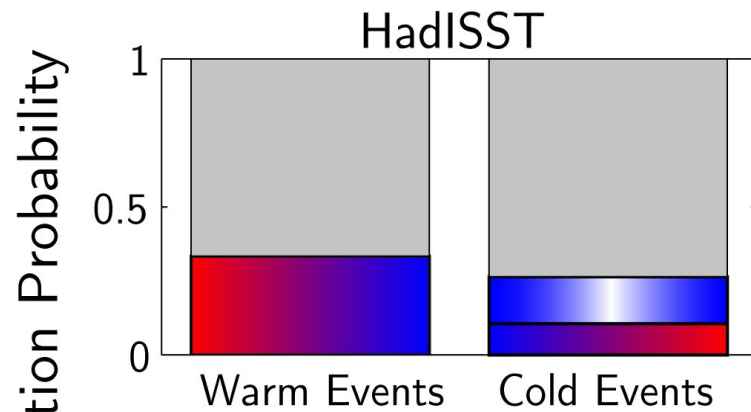


CM2.5 260-year control run



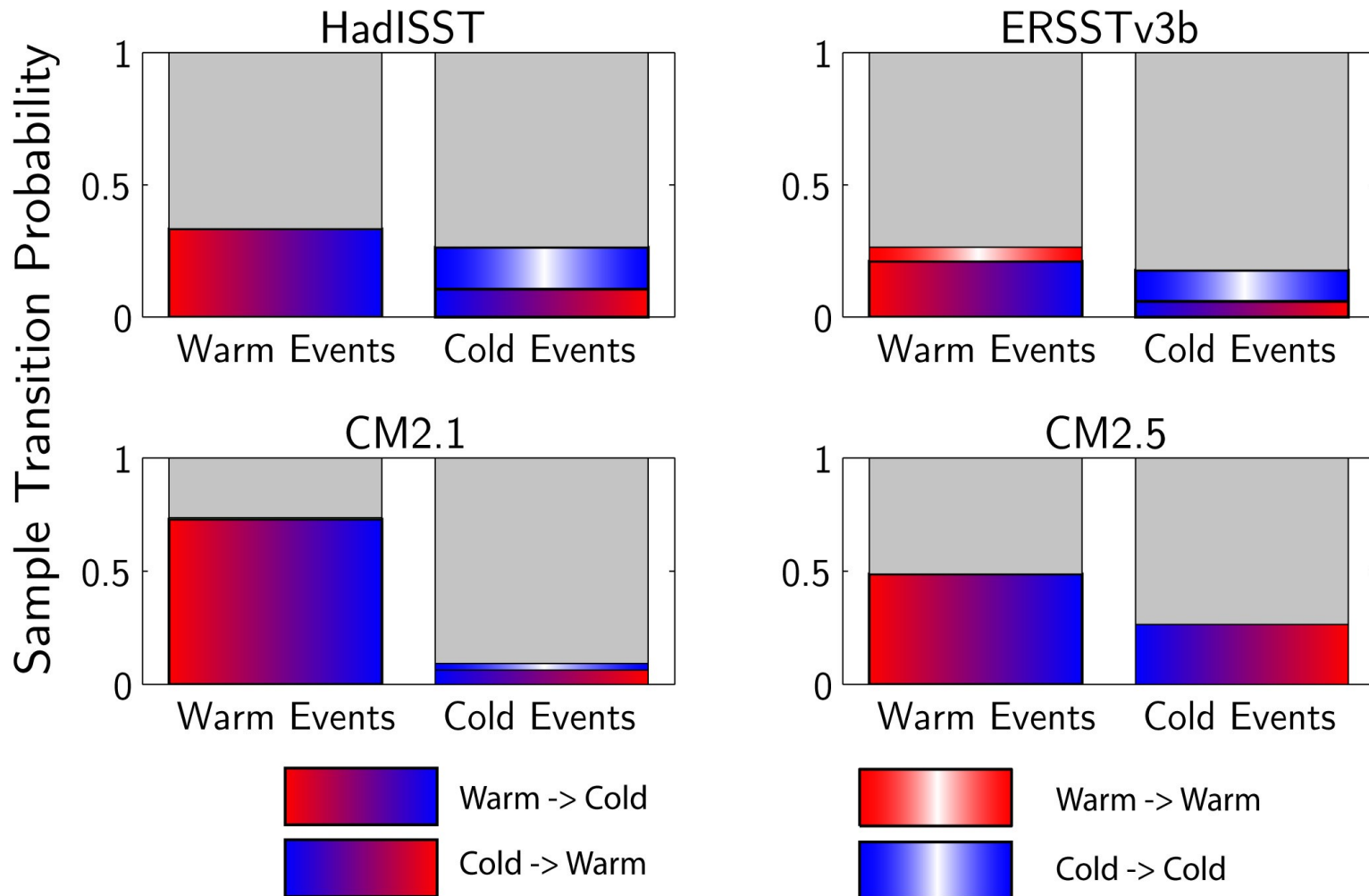
Asymmetry in sequencing:

Warm-to-Cold is more likely than Cold-to-Warm



Asymmetry in sequencing:

Warm-to-Cold is more likely than Cold-to-Warm



What causes the asymmetries of ENSO in
(1) Amplitude (2) Duration and (3) Sequencing?

Proposed mechanism

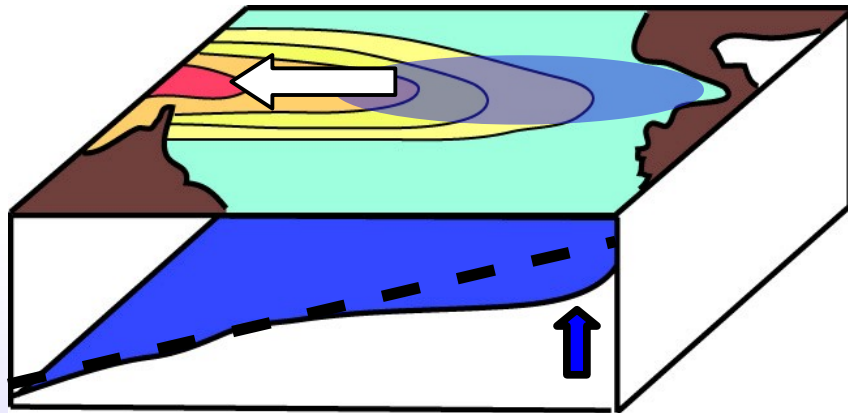
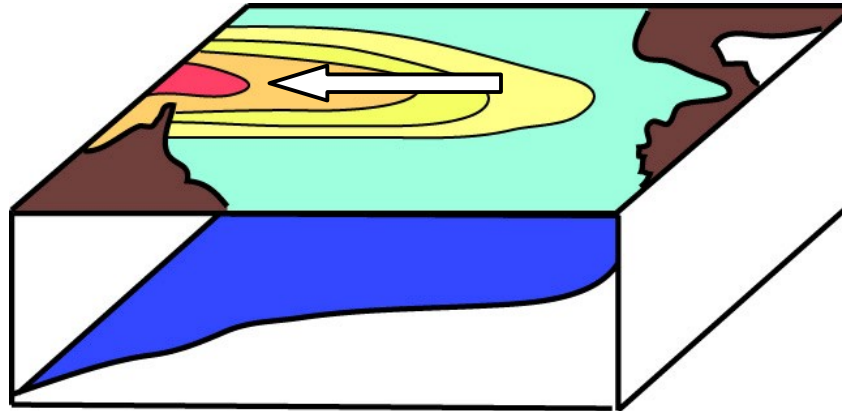
Air-Sea coupling efficiency is **higher** during **warm** conditions, **lower** during **cold** conditions, at the Pacific Ocean.

This can result in the above asymmetries in a consistent way.

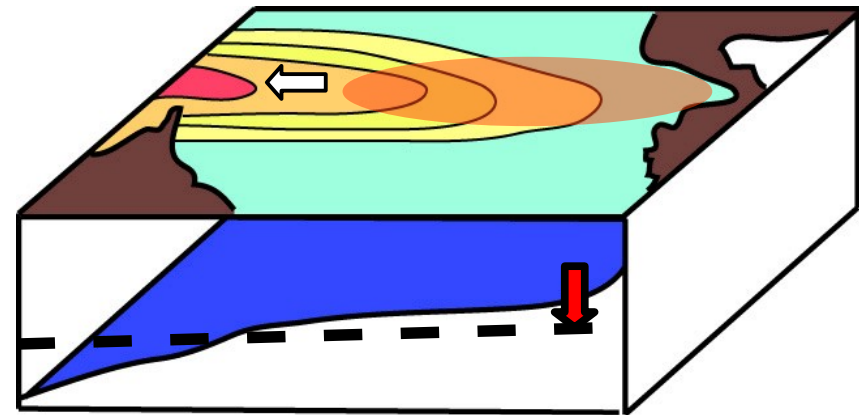
Air-Sea coupling for ENSO

Efficiency: how strong surface wind stress responds to changes in SST

Climatology

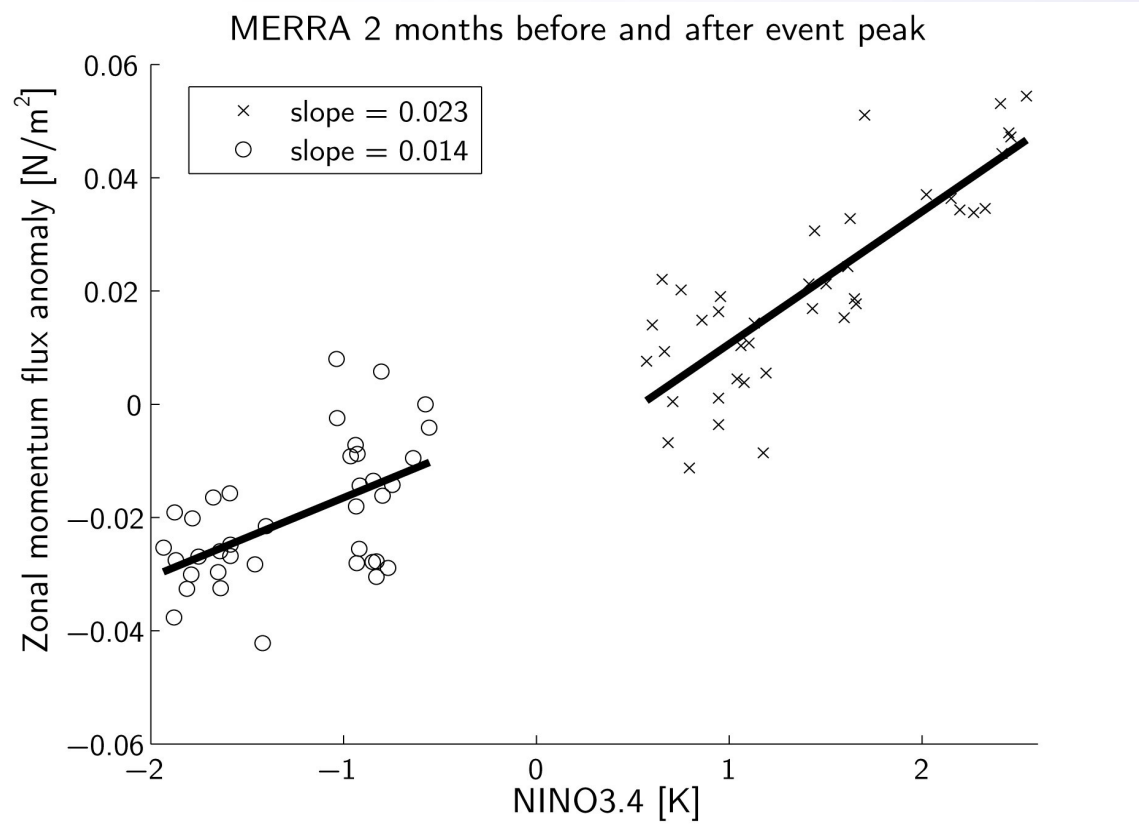


La Nina

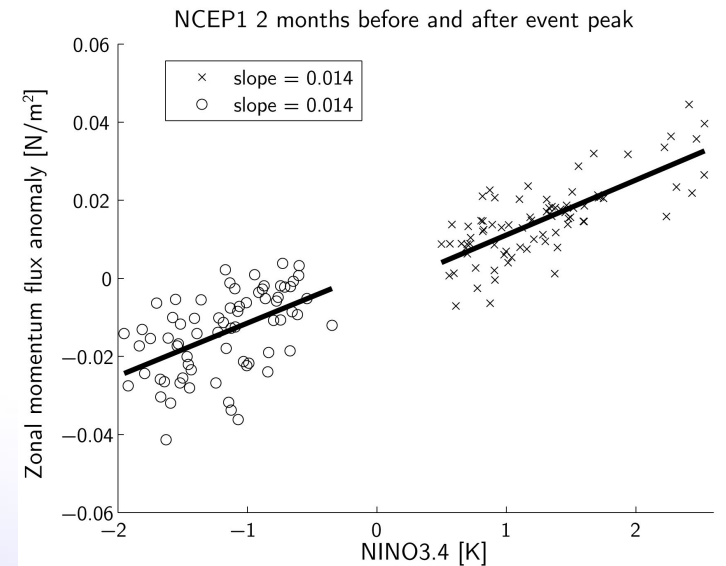
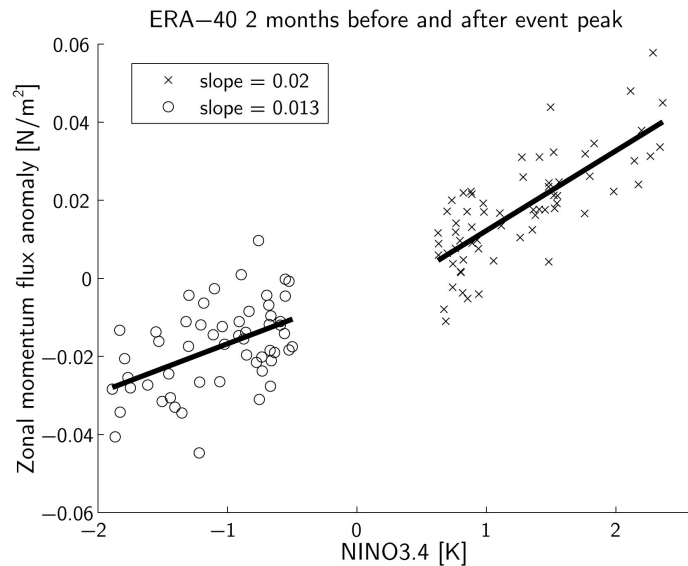
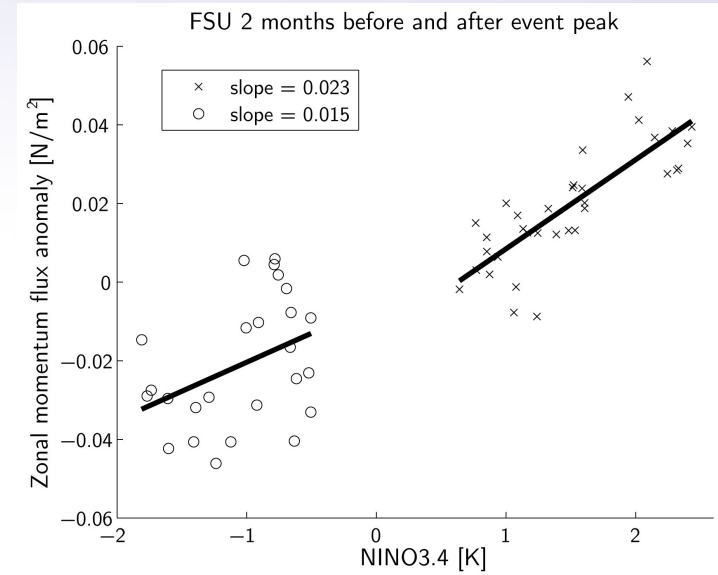
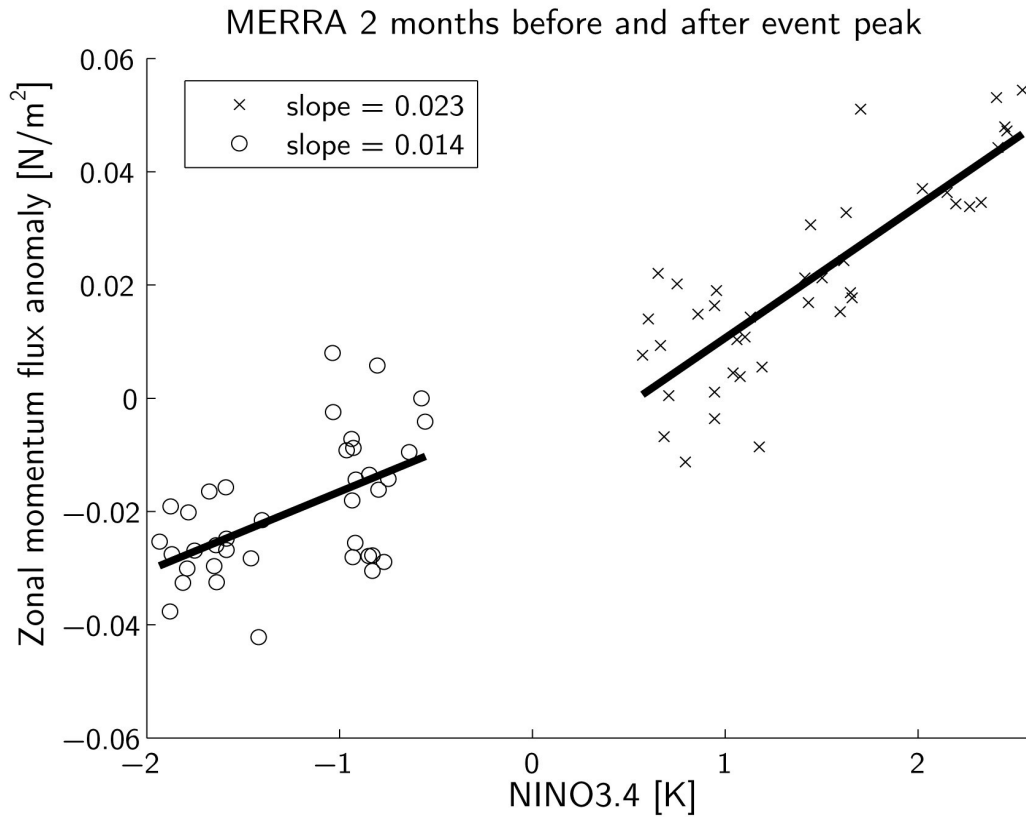


El Nino

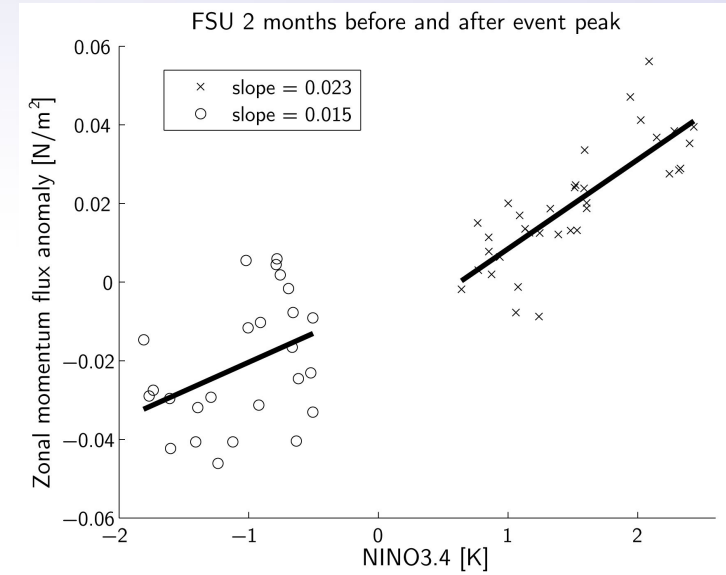
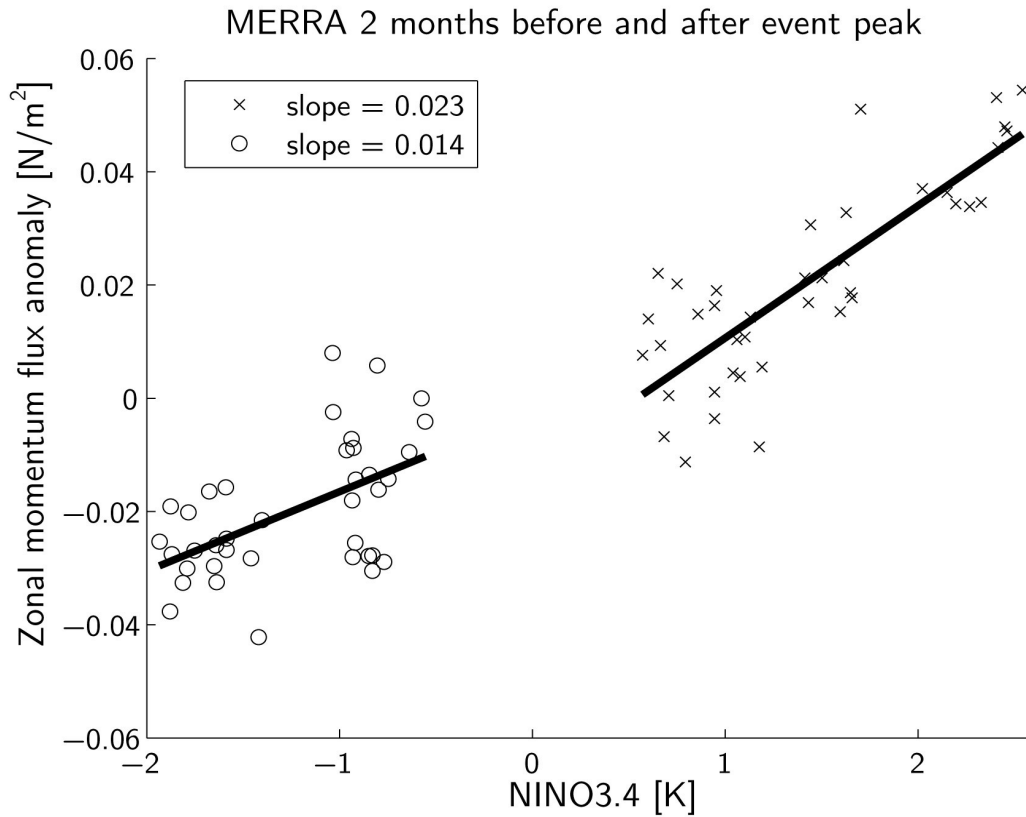
Wind responds more strongly to warm conditions



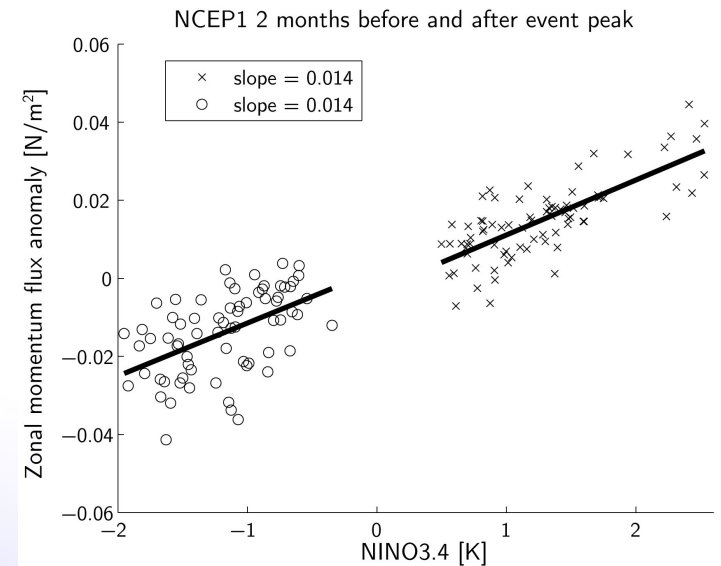
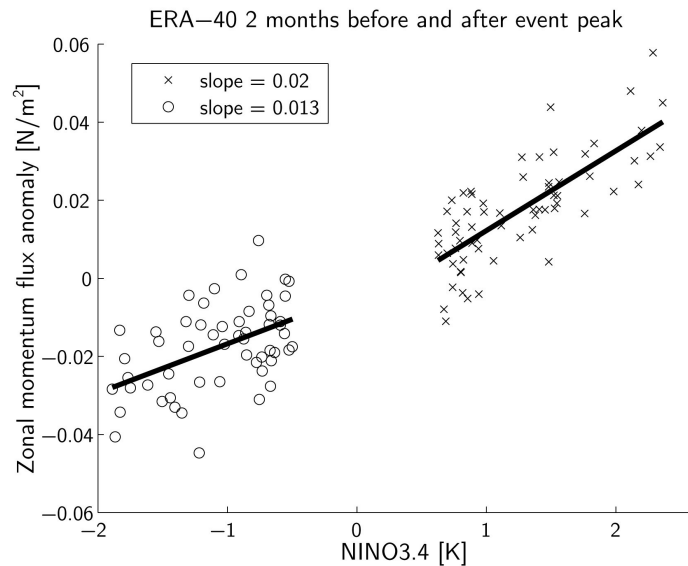
Wind responds more strongly to warm conditions



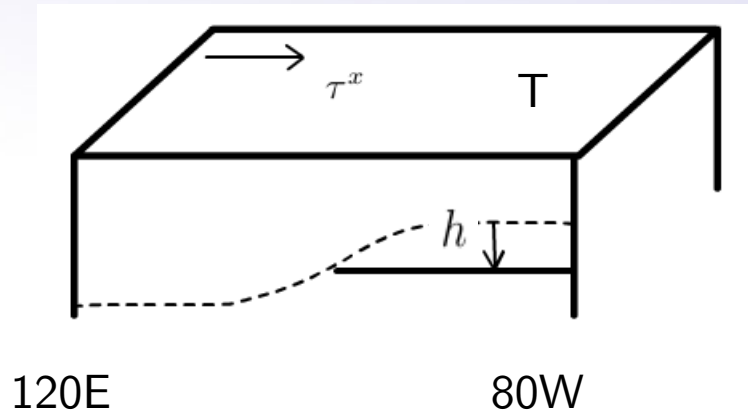
Wind responds more strongly to warm conditions



$$\tau^x = \gamma(T + r |T|)$$



Modified delayed Oscillator



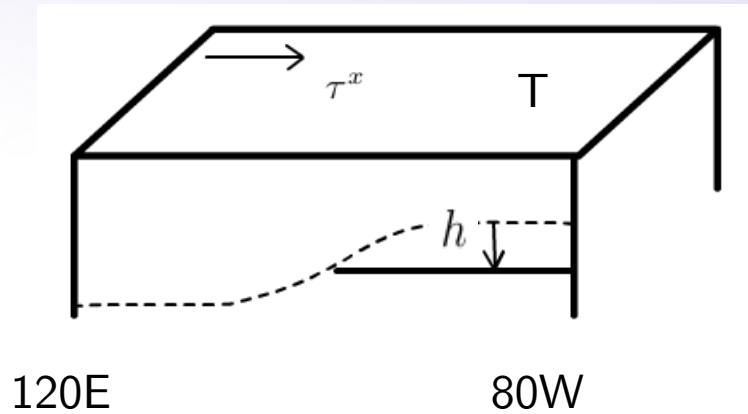
$$\frac{\partial T}{\partial t} = -bT + c\tau^x(t - t_1) - d\tau^x(t - t_2)$$

Damping

Positive feedback

Delayed
Negative feedback

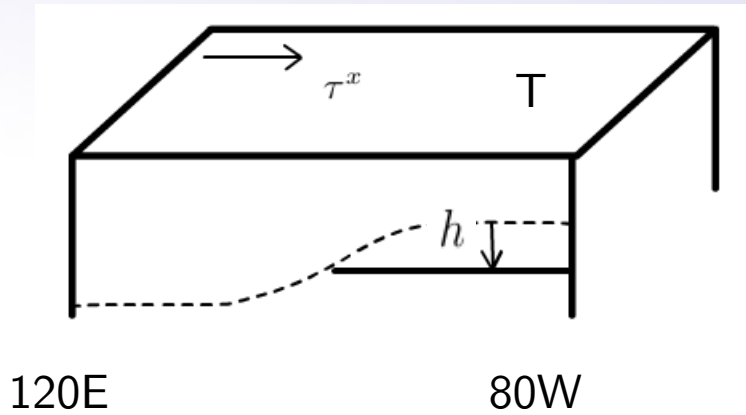
Modified delayed Oscillator



$$\frac{\partial T}{\partial t} = -bT + c\tau^x(t - t_1) - d\tau^x(t - t_2)$$

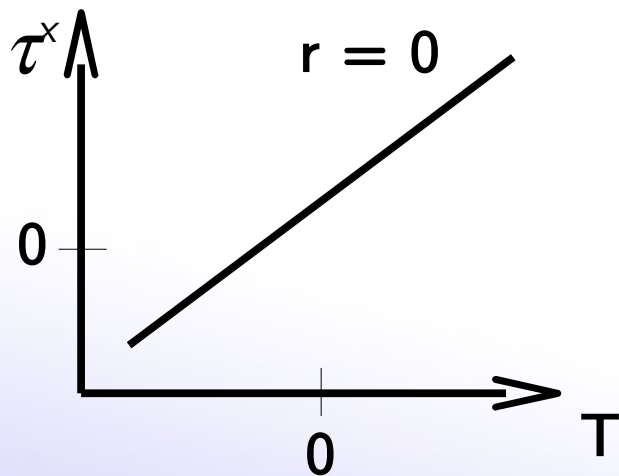
$$\tau^x = \gamma T + r\gamma |T|$$

Modified delayed Oscillator

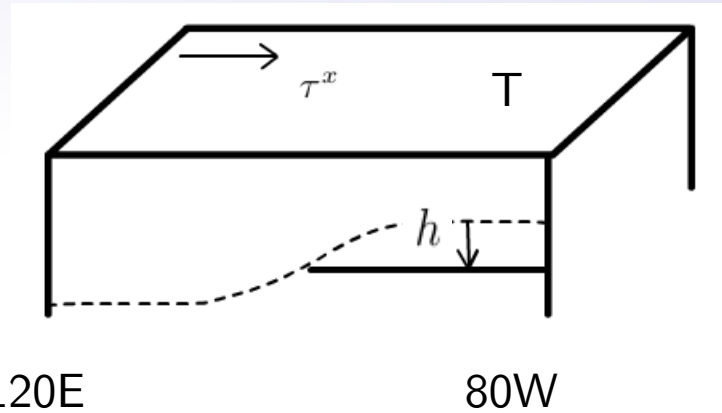


$$\frac{\partial T}{\partial t} = -bT + c\tau^x(t - t_1) - d\tau^x(t - t_2)$$

$$\tau^x = \gamma T + r\gamma |T|$$

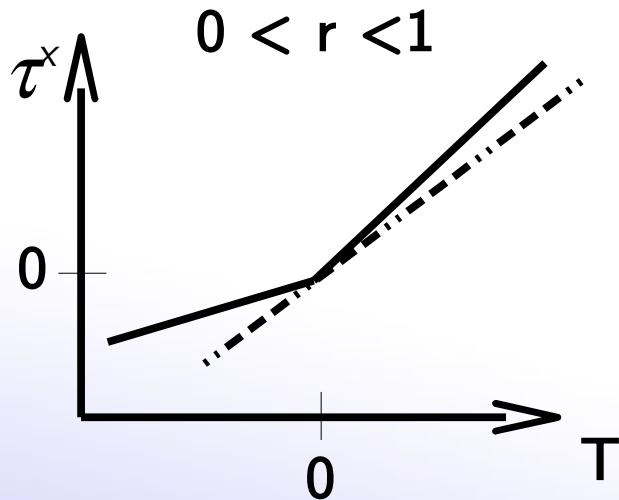


Modified delayed Oscillator

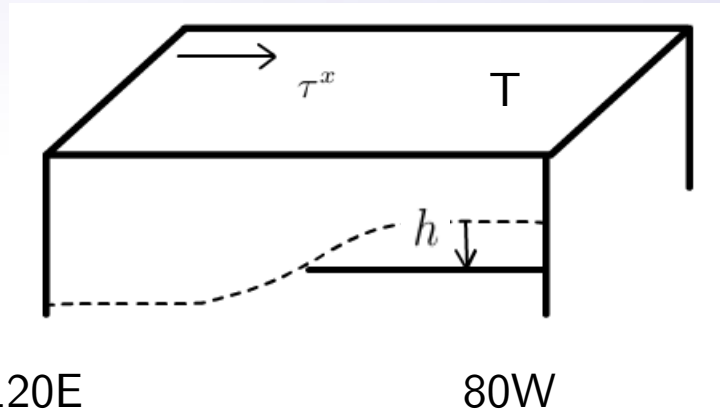


$$\frac{\partial T}{\partial t} = -bT + c\tau^x(t - t_1) - d\tau^x(t - t_2)$$

$$\tau^x = \gamma T + r\gamma |T|$$

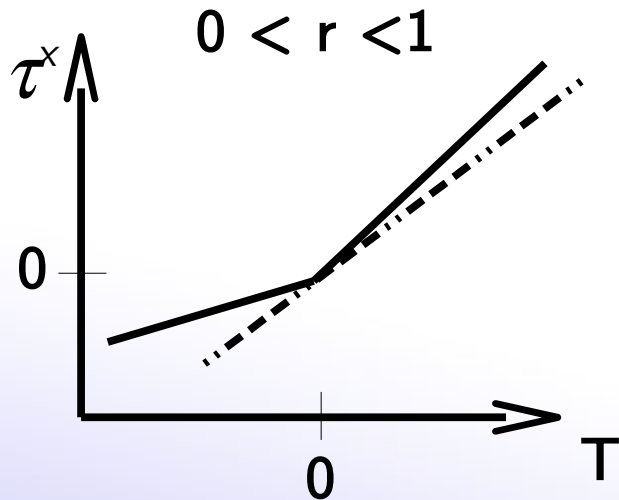


Modified delayed Oscillator



$$\frac{\partial T}{\partial t} = -bT + c\tau^x(t - t_1) - d\tau^x(t - t_2)$$

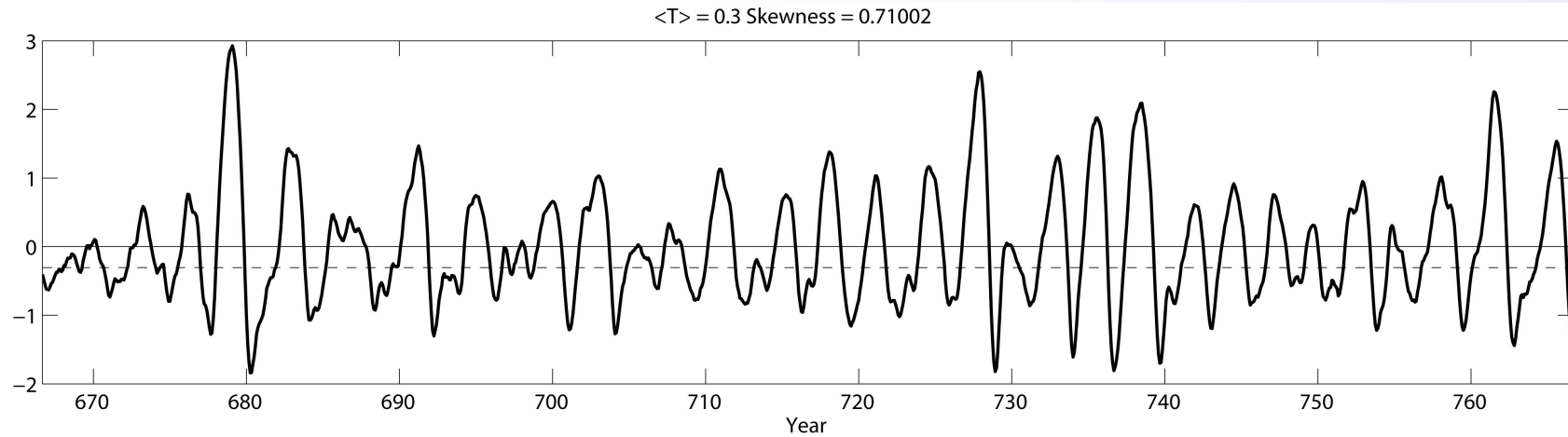
$$\tau^x = \gamma T + r\gamma |T|$$



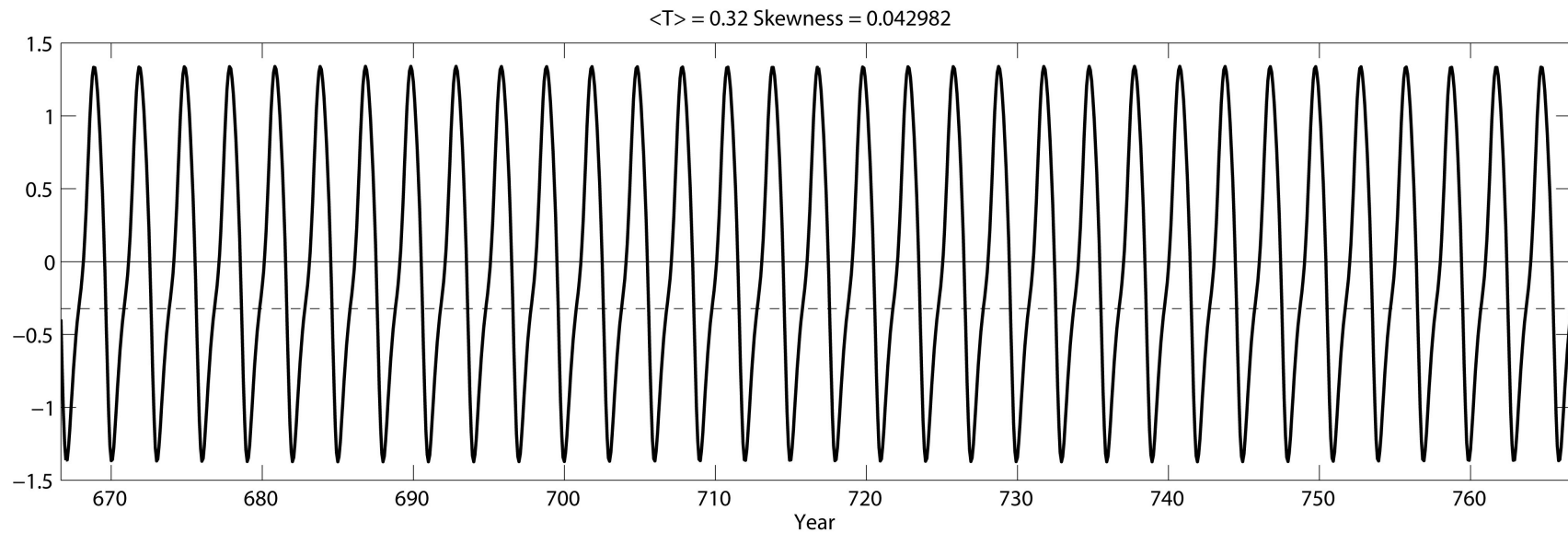
- NCEP1 : $r \sim 0\%$
- FSU : $r \sim 26-38\%$
- ERA40 : $r \sim 21-27\%$
- MERRA: $r \sim 19\%$
- CM2.1 : $r \sim 46\%$
- CM2.5 : $r \sim 15\%$
- AM2.1 : $r \sim 46\%$

Two scenarios:

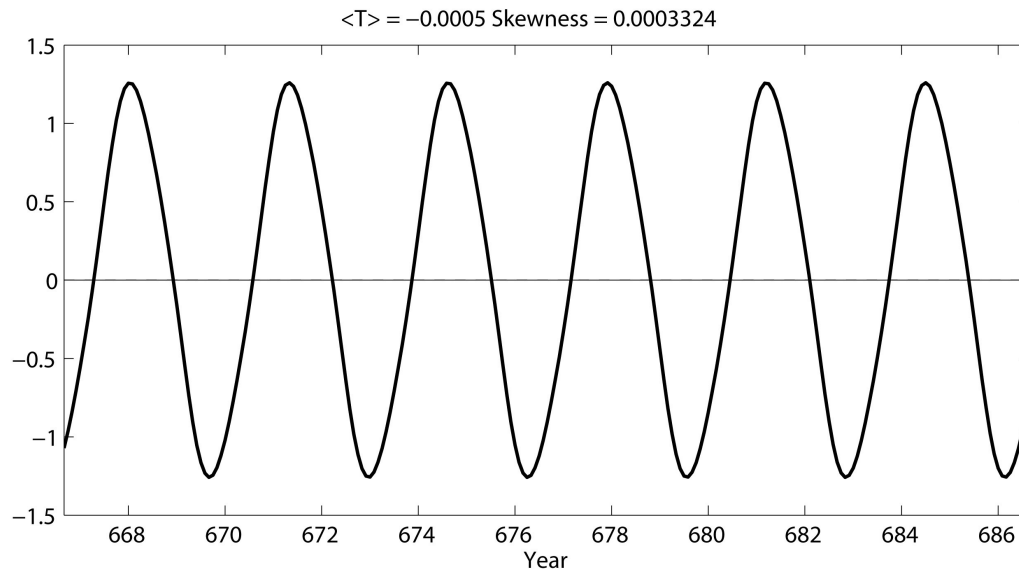
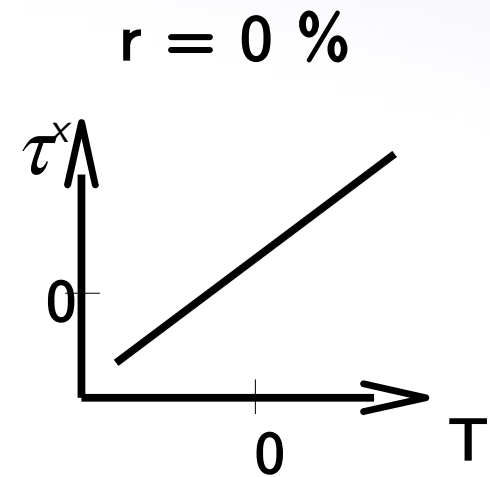
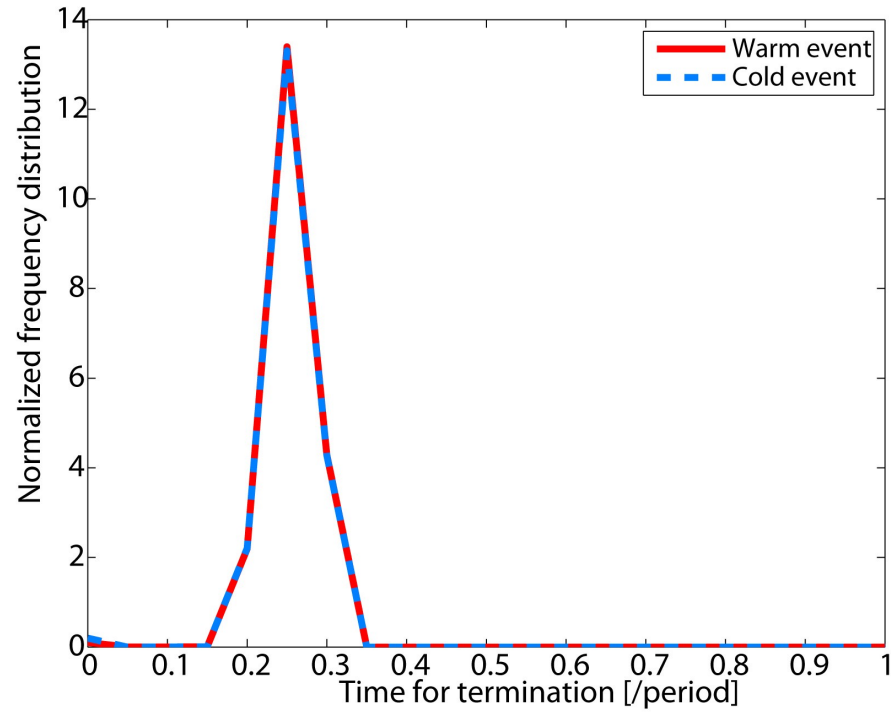
1) Oscillations of a stable system triggered by stochastic noise



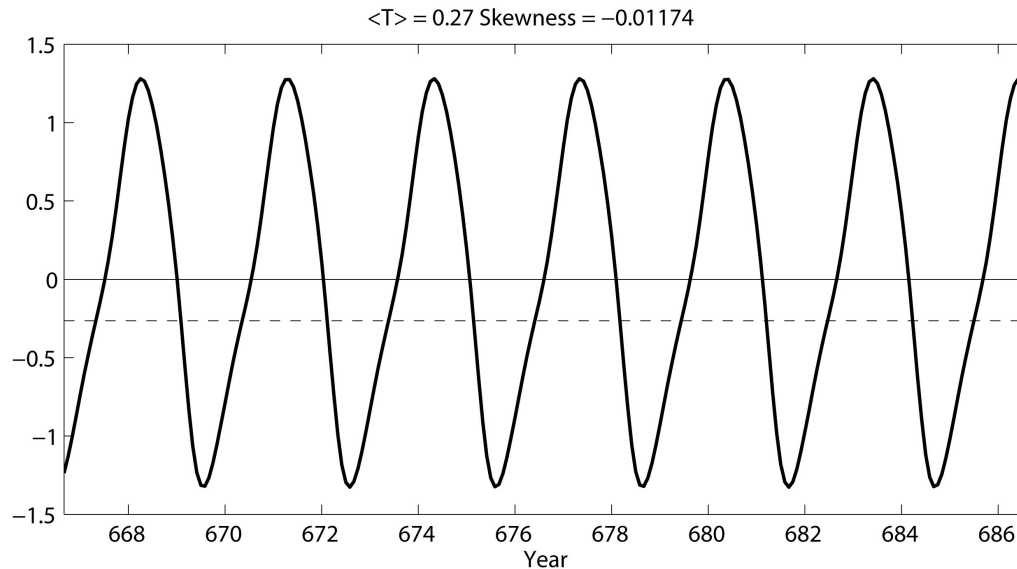
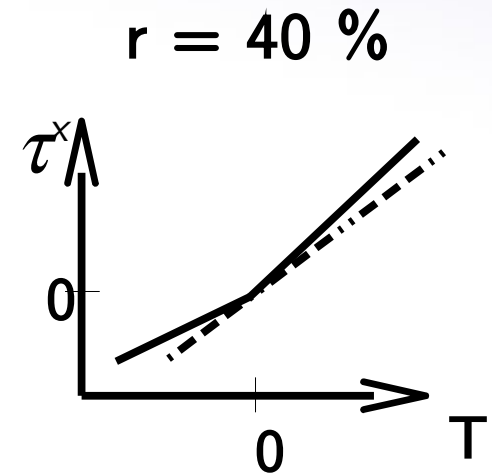
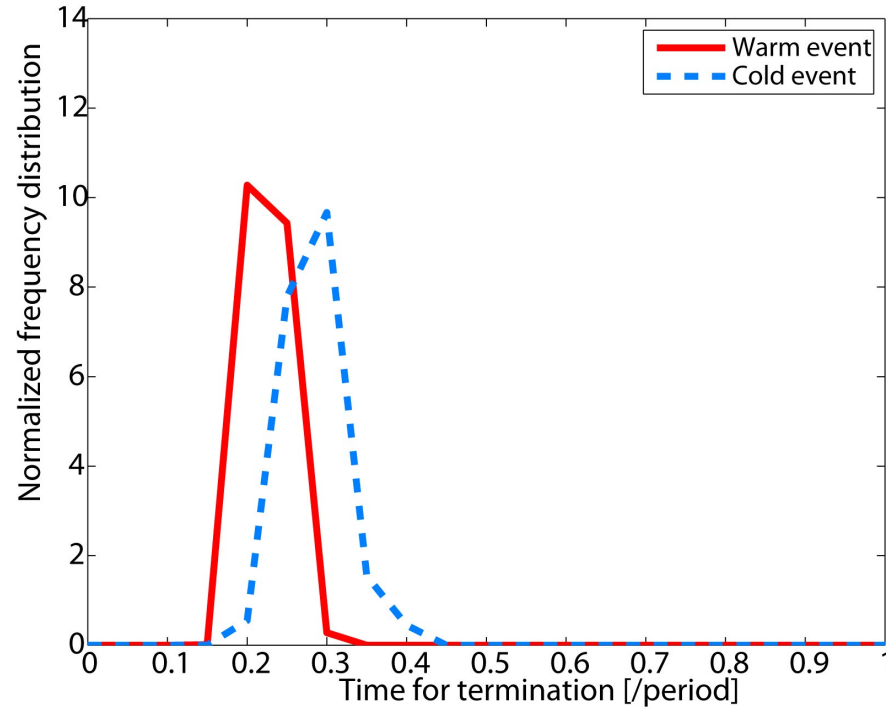
2) Self-sustained oscillation



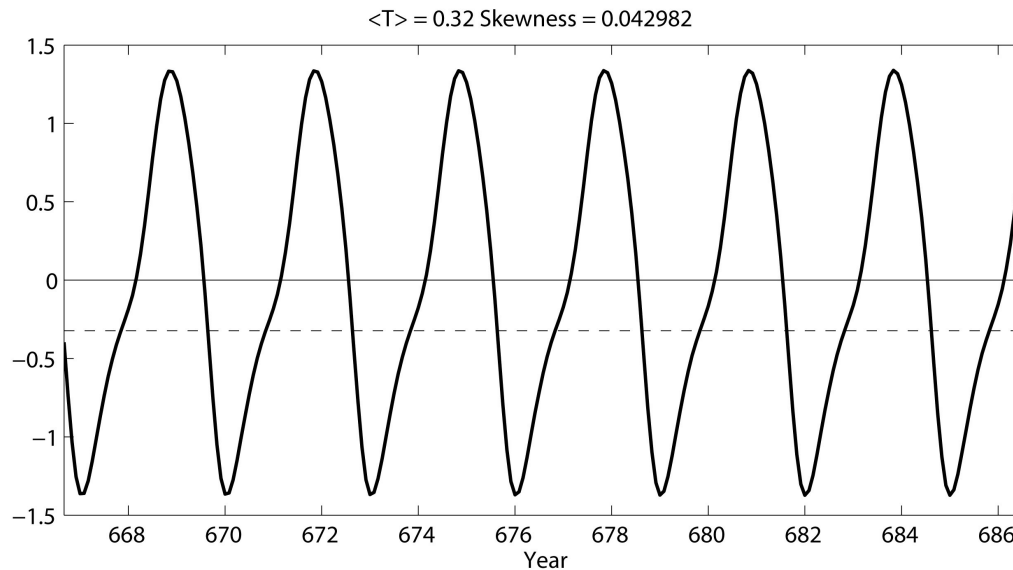
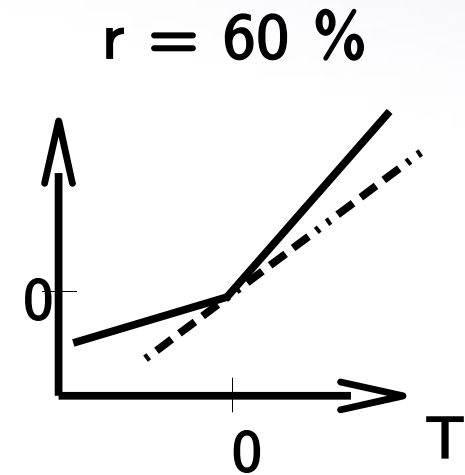
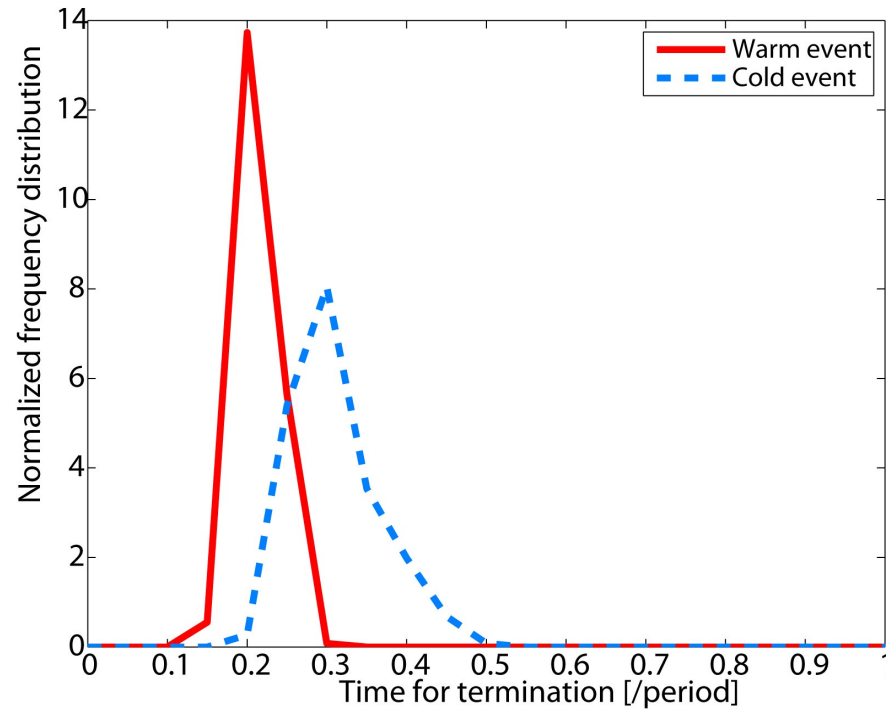
Asymmetry in duration: Cold events last longer



Asymmetry in duration: Cold events last longer

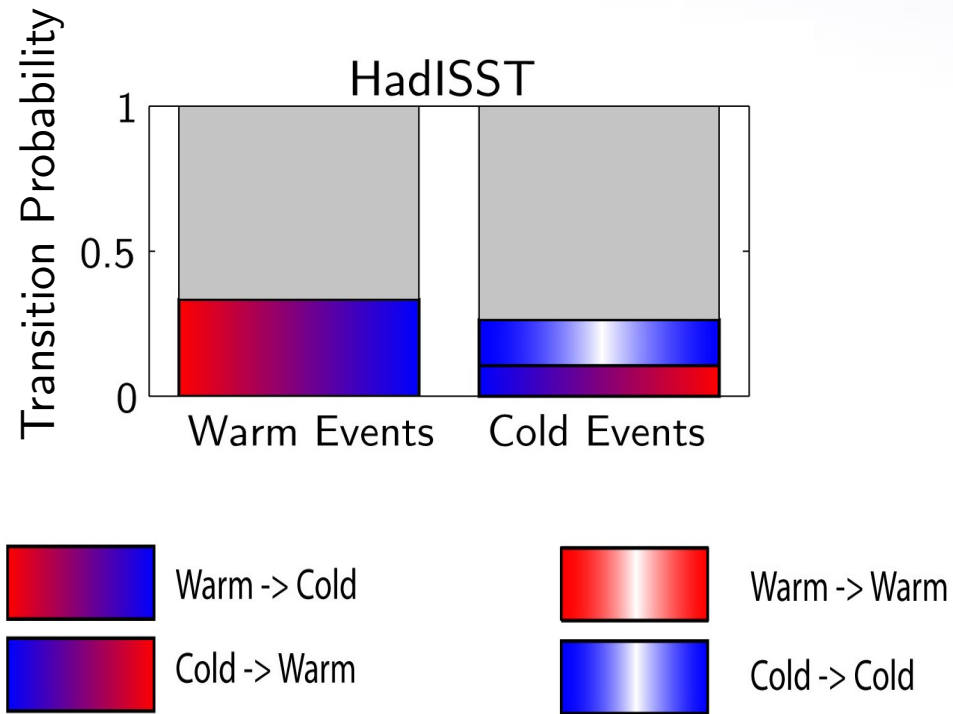


Asymmetry in duration: Cold events last longer



Asymmetry in sequencing:

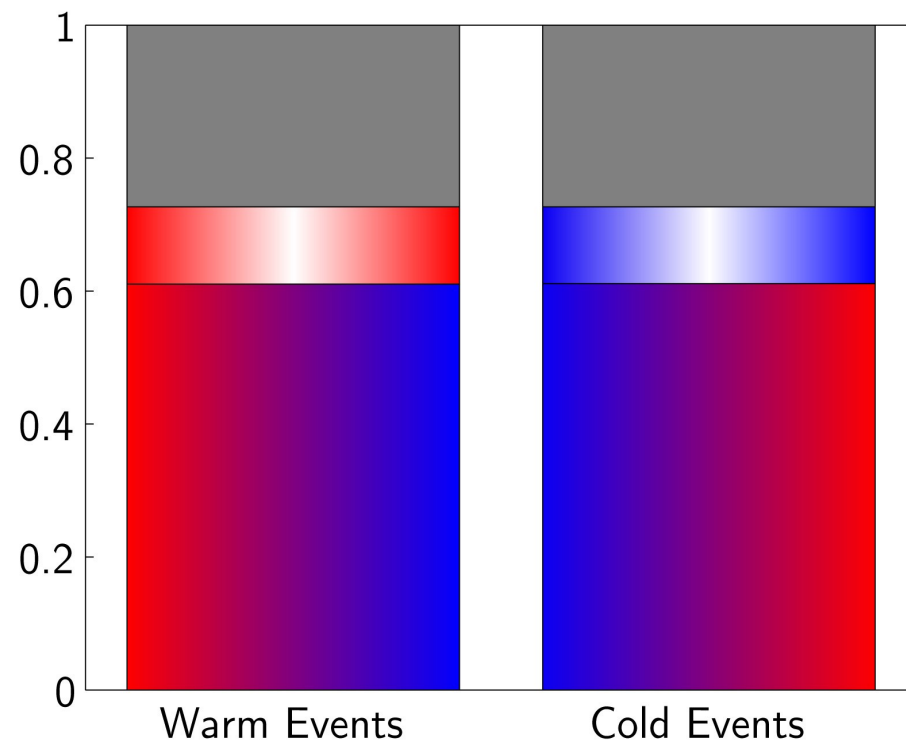
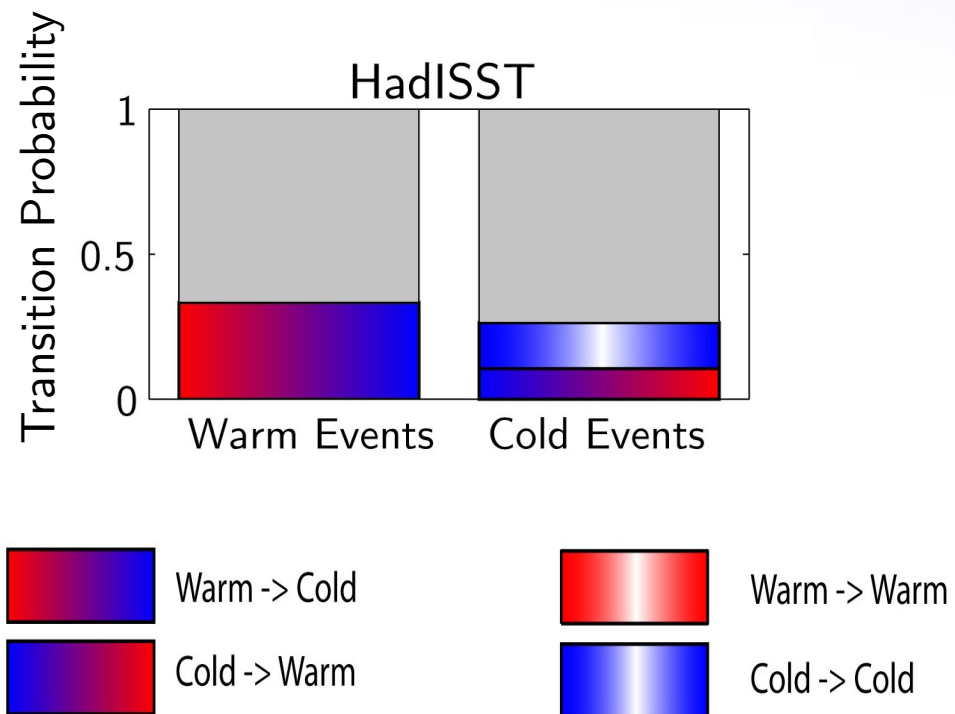
Warm-to-Cold is more likely than Cold-to-Warm



Asymmetry in sequencing:

Warm-to-Cold is more likely than Cold-to-Warm

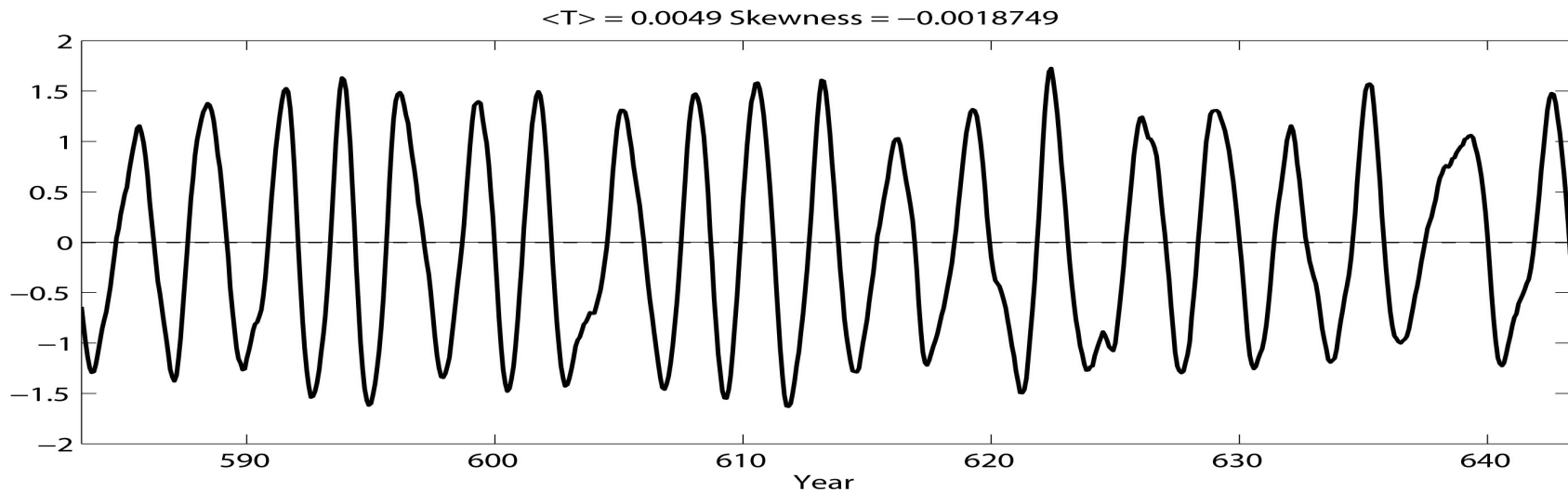
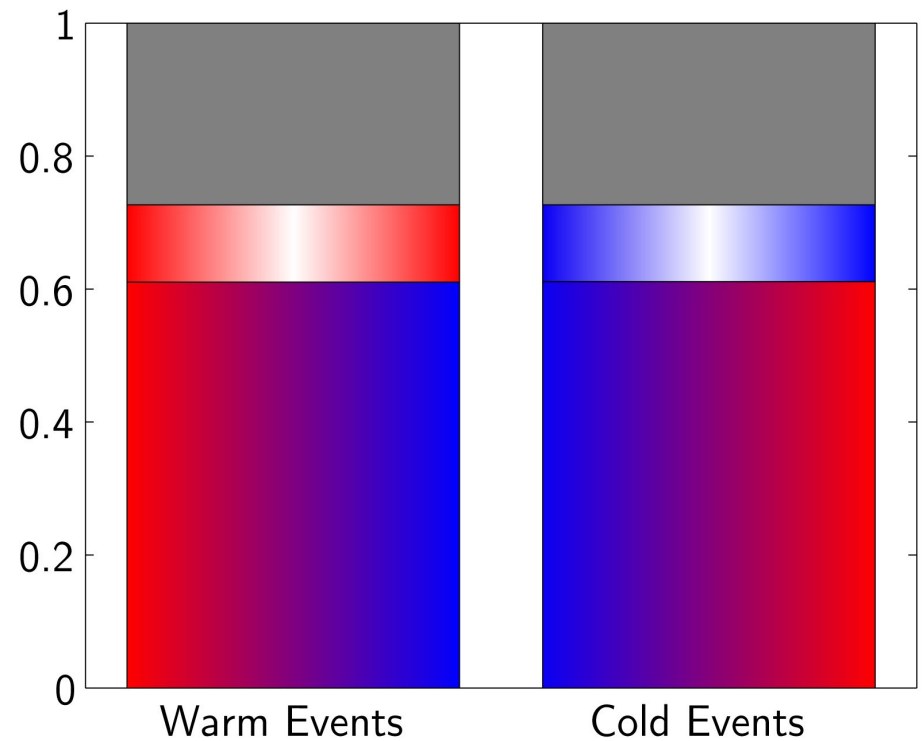
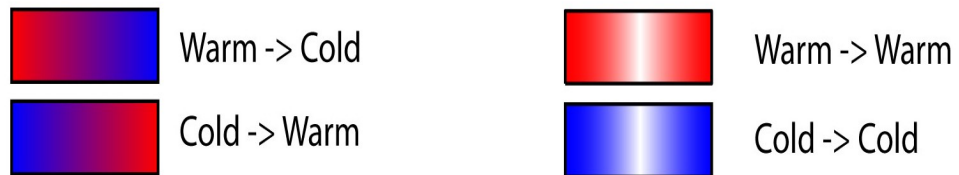
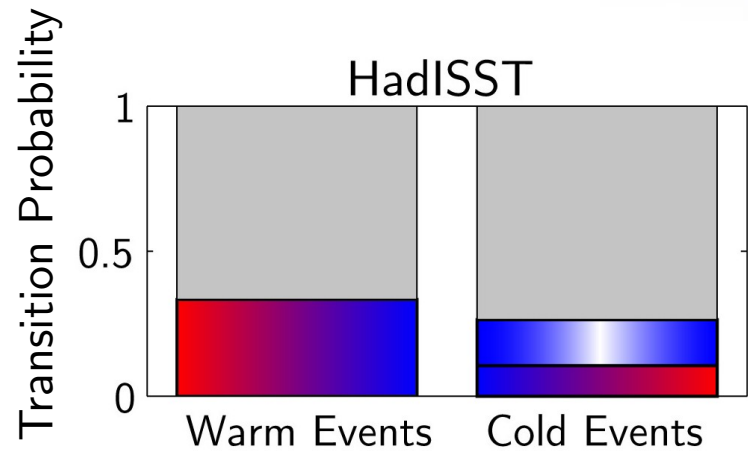
$r = 0 \%$



Asymmetry in sequencing:

Warm-to-Cold is more likely than Cold-to-Warm

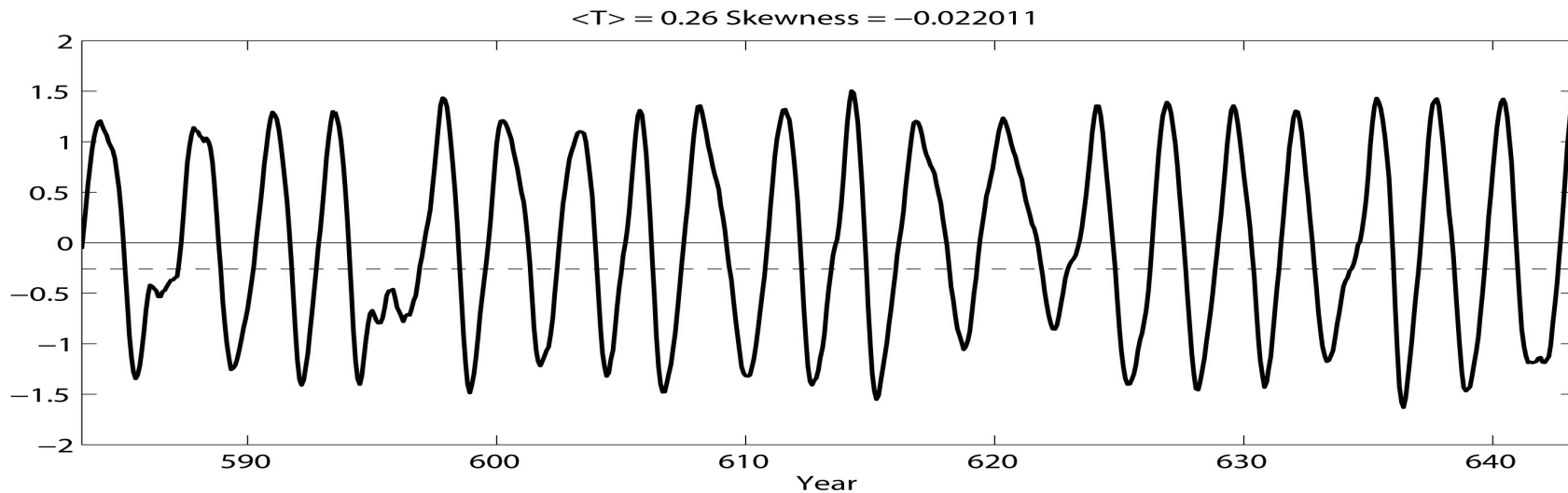
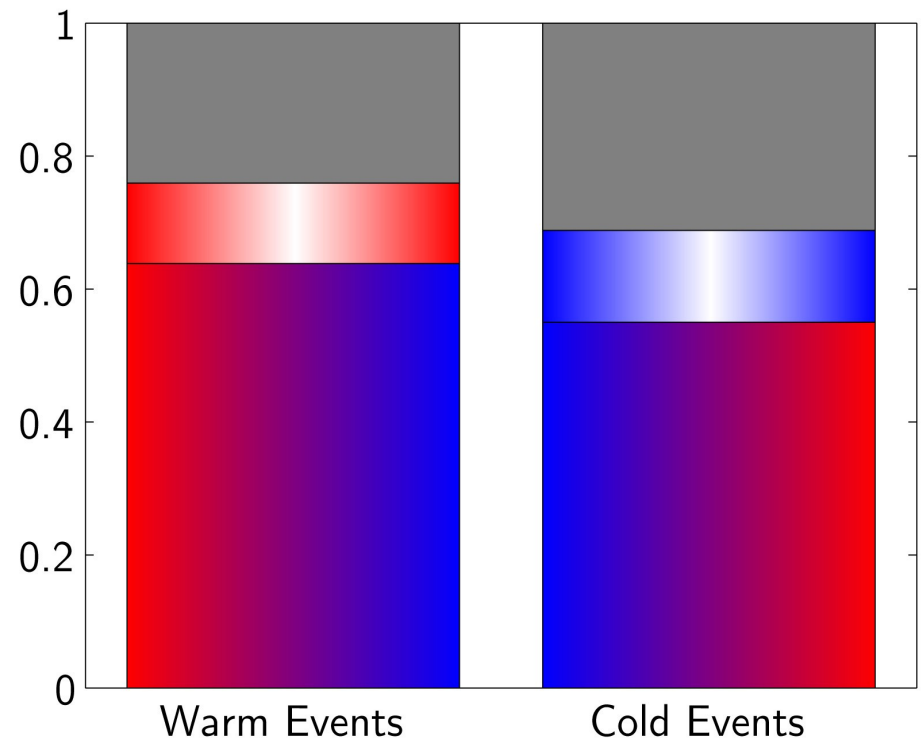
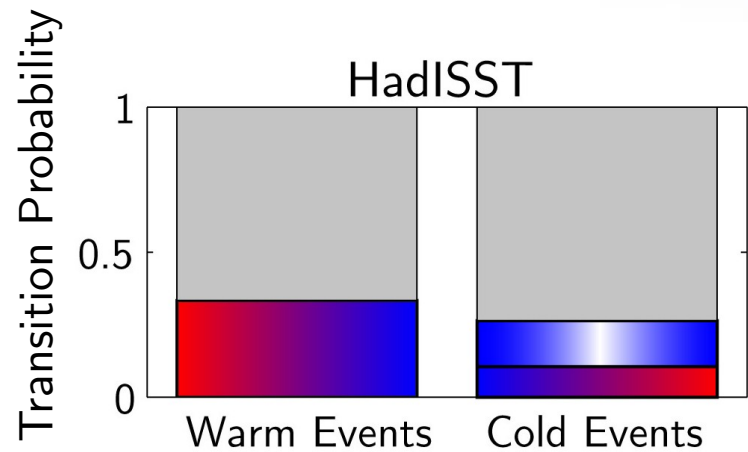
$r = 0 \%$



Asymmetry in sequencing:

Warm-to-Cold is more likely than Cold-to-Warm

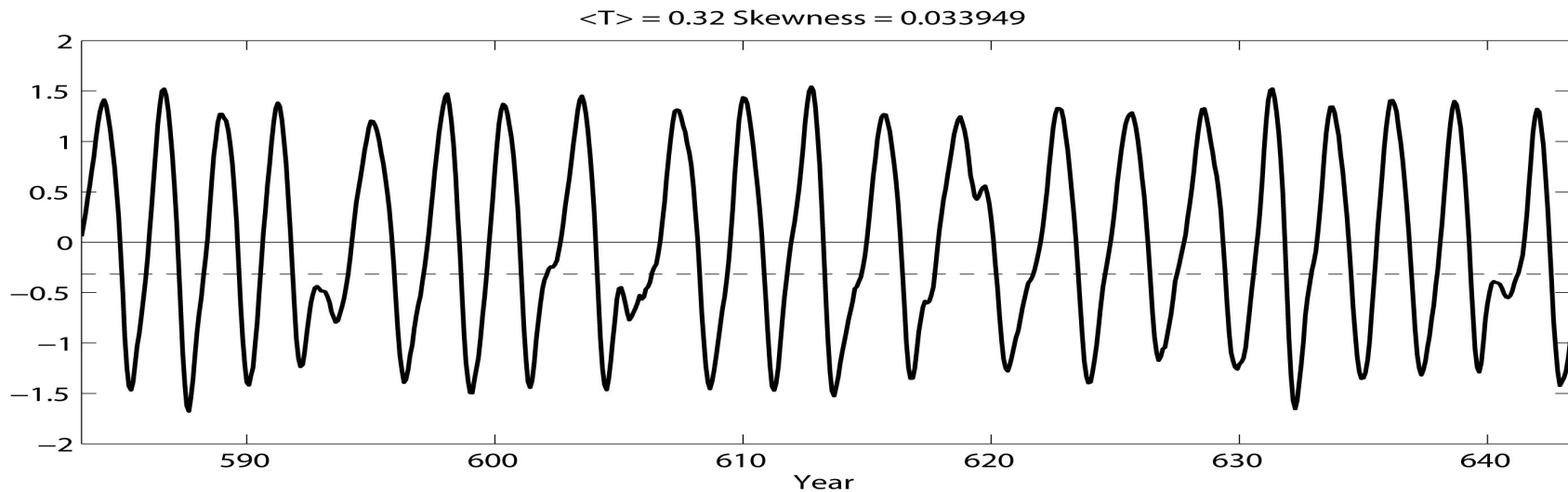
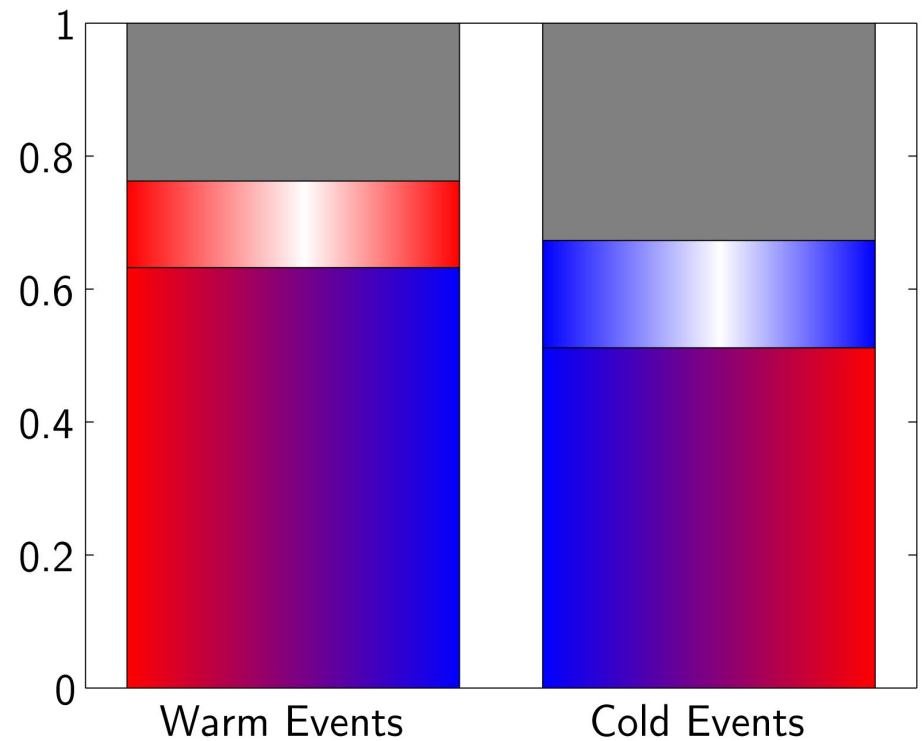
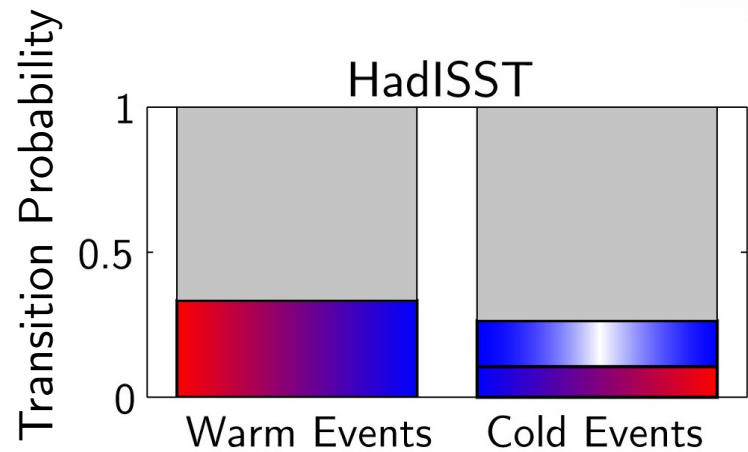
$r = 40\%$



Asymmetry in sequencing:

Warm-to-Cold is more likely than Cold-to-Warm

$r = 60\%$

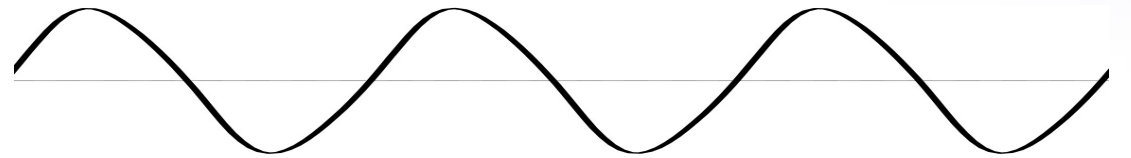


Why does the polarity dependence in the coupling efficiency result in the asymmetries?

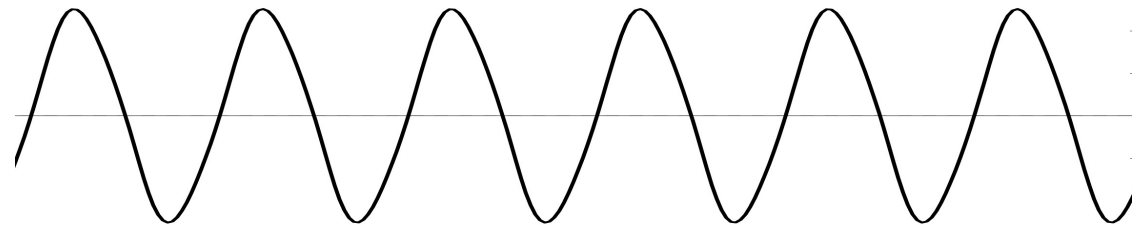
Coupling efficiency = 0, no oscillation



Coupling efficiency is small



Coupling efficiency is larger



Larger coupling efficiency for El Nino → El Nino terminates faster and overshoots

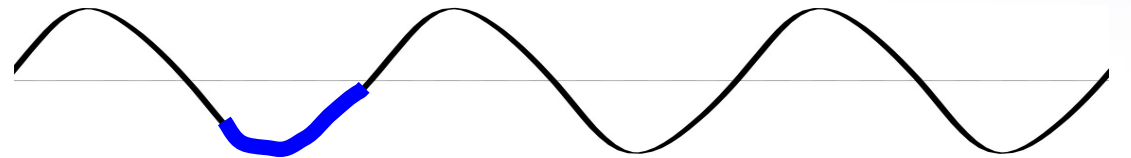
Smaller coupling efficiency for La Nina → La Nina terminates slower
and is more susceptible to noise

Why does the polarity dependence in the coupling efficiency result in the asymmetries?

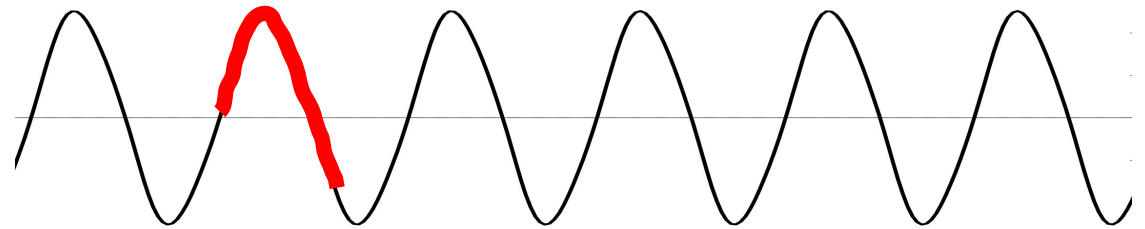
Coupling efficiency = 0, no oscillation



Coupling efficiency is small



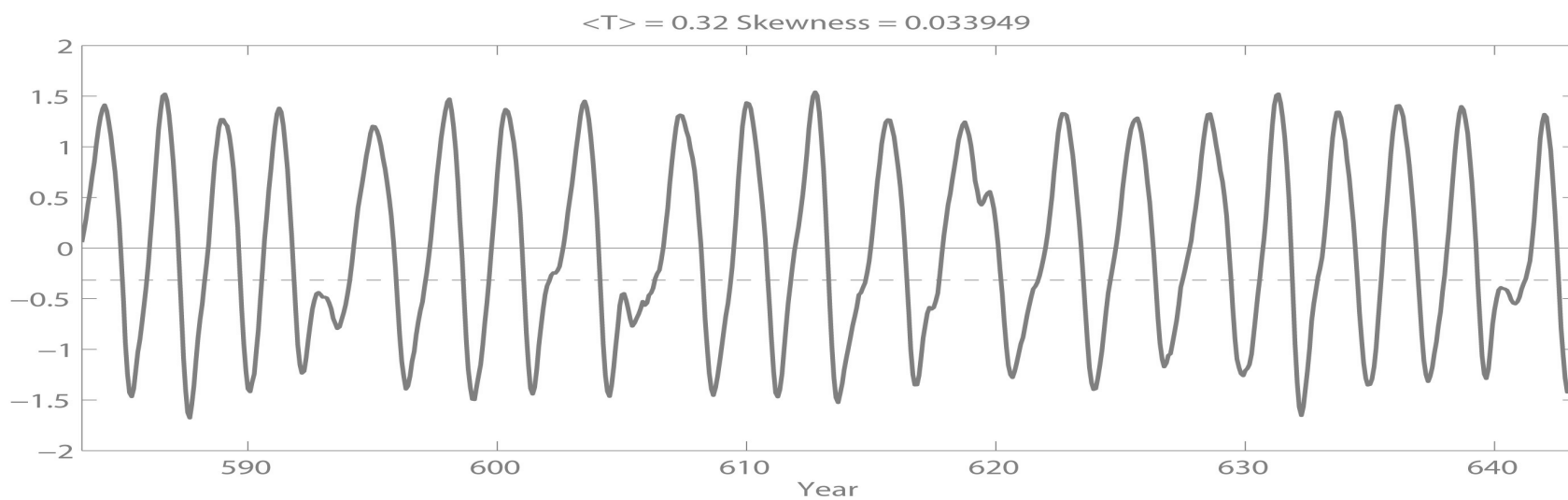
Coupling efficiency is larger



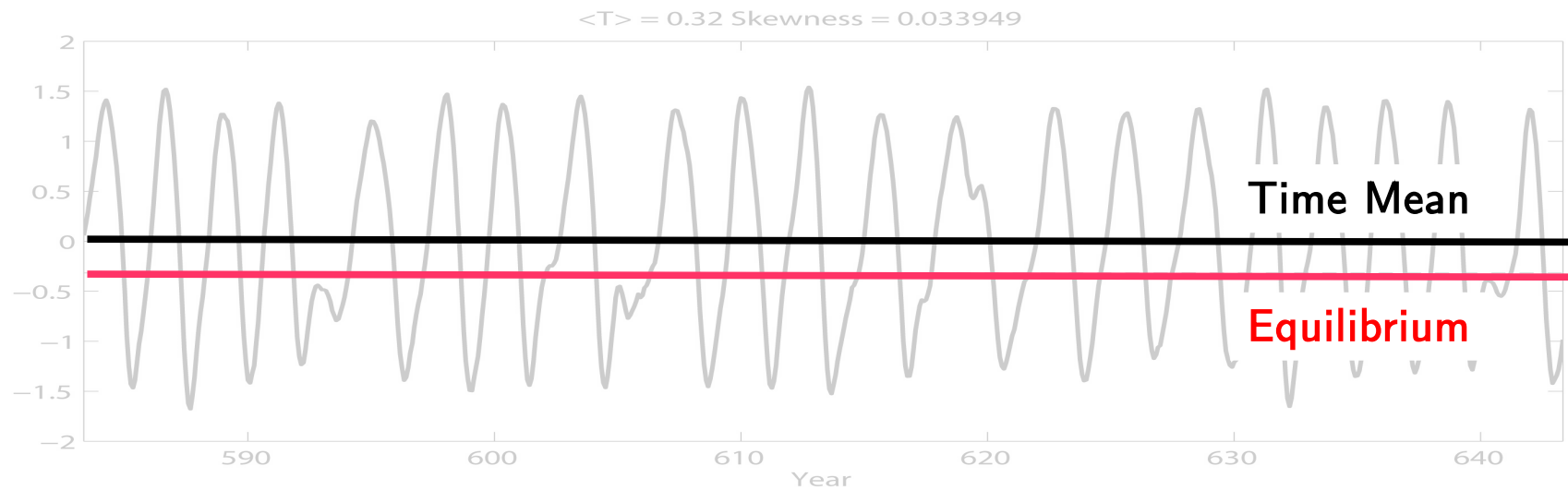
Larger coupling efficiency for El Nino → El Nino terminates faster and overshoots

Smaller coupling efficiency for La Nina → La Nina terminates slower
and is more susceptible to noise

The time mean state is, in fact, a warm state



The time mean state is, in fact, a warm state



That accounts for a fraction of the duration asymmetry.

Summary

- Within the framework of a delayed-oscillator, if the wind response is more sensitive to warm SST anomalies, or more generally,

if the coupling efficiency is higher during warm events:

- Higher likelihood of warm \rightarrow cold than cold \rightarrow warm
- Cold events last longer and are more susceptible to noise
- The time mean state is a warm state

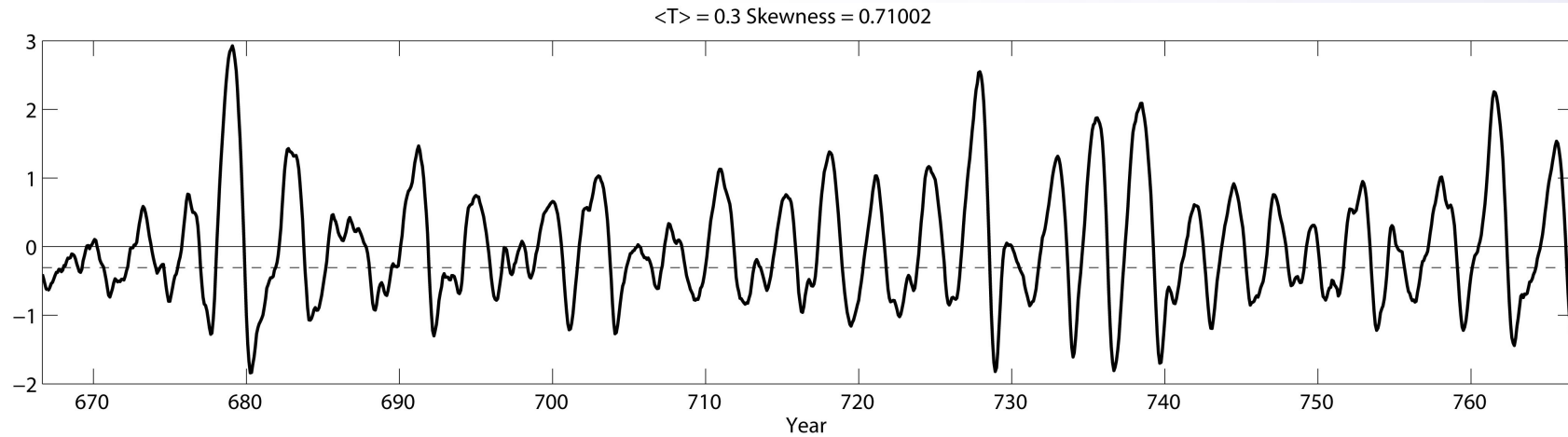
These results hold for

the stochastically-forced stable mode and self-sustained oscillatory mode.

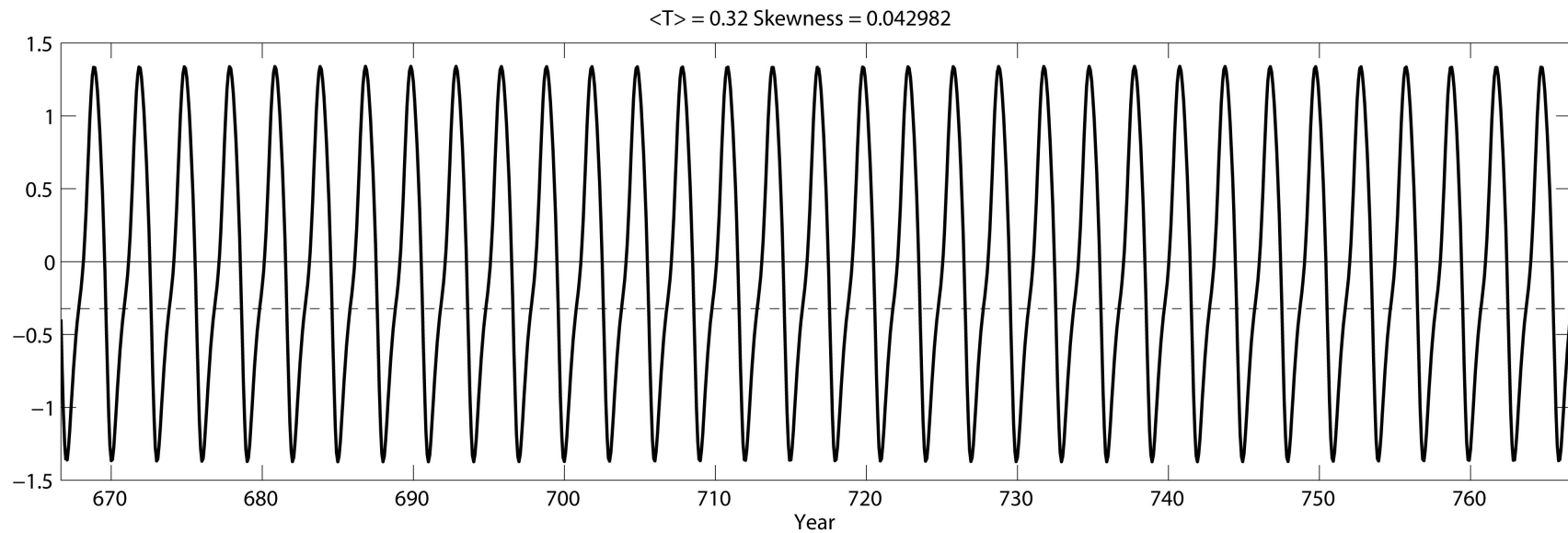
Thank You!

Two scenarios:

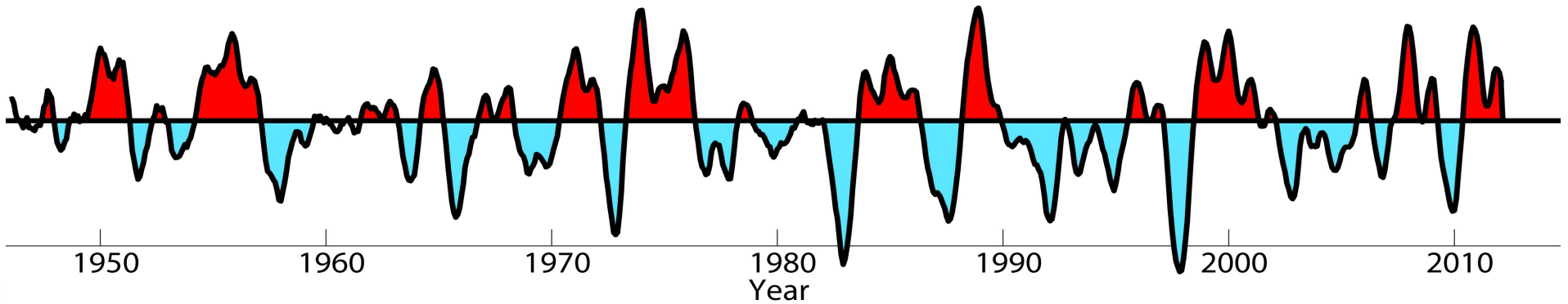
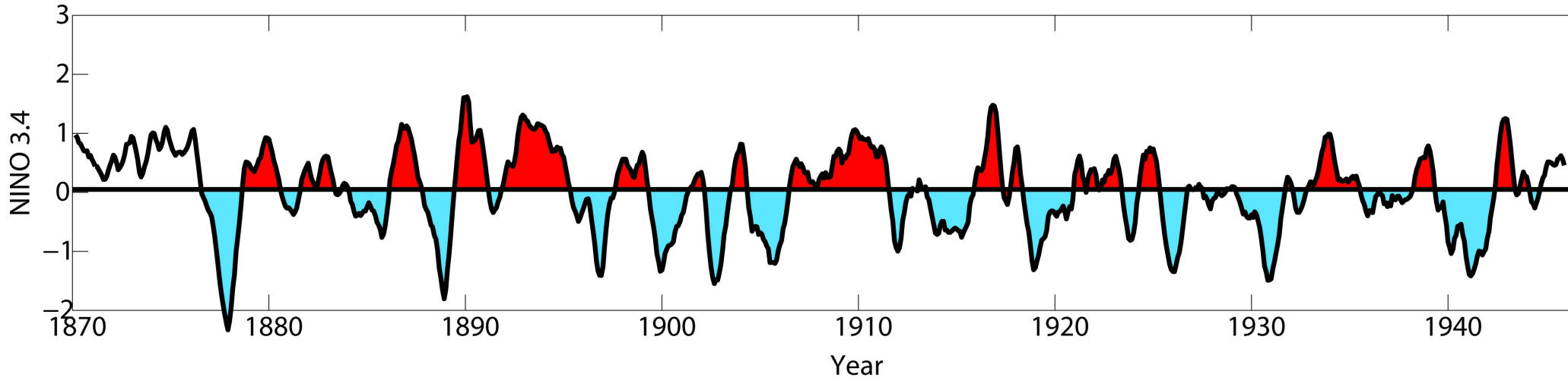
1) Oscillations of a stable system triggered by stochastic noise



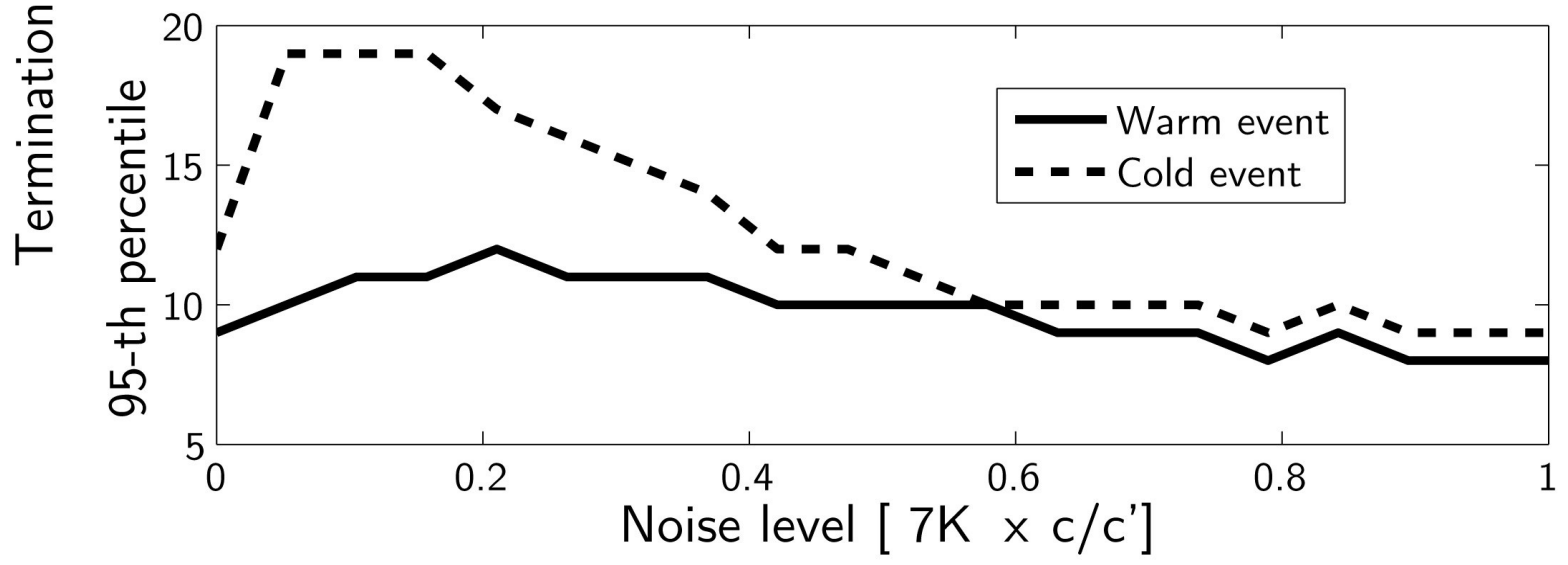
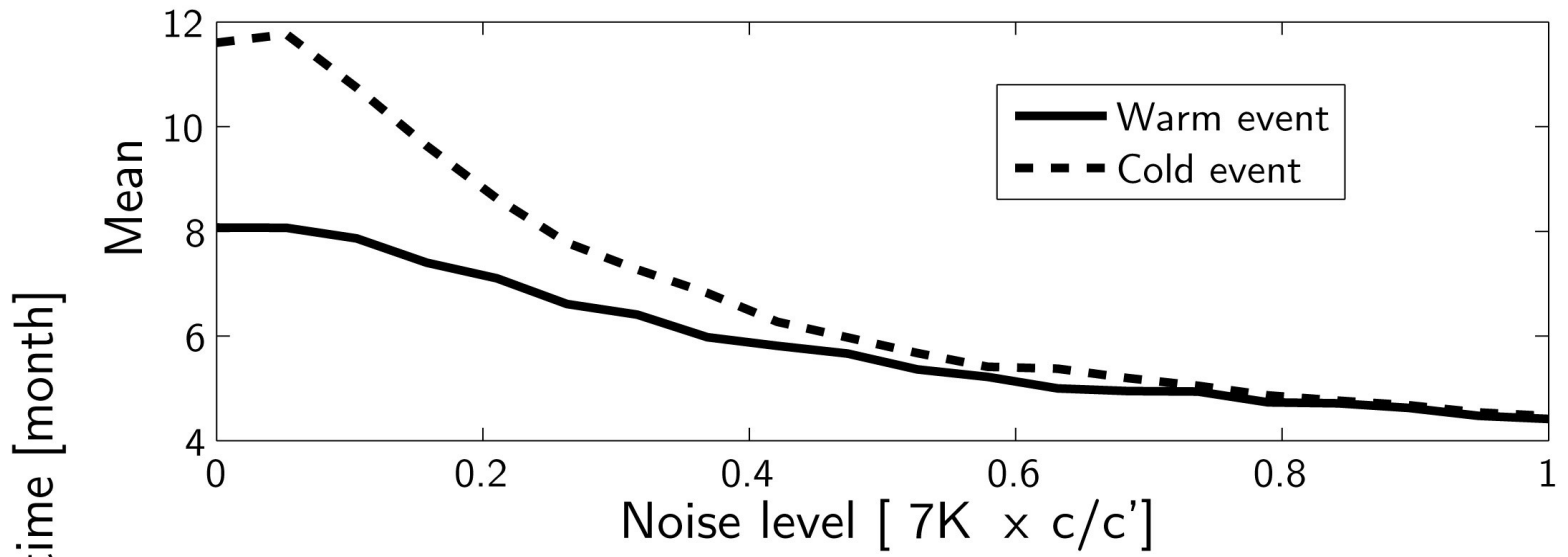
2) Self-sustained oscillation



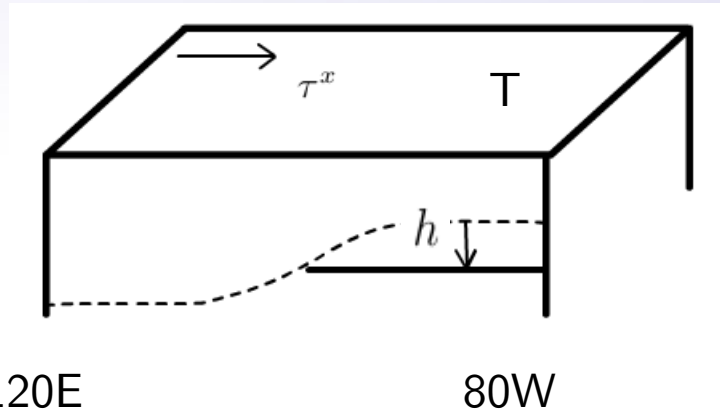
El Niño – Southern Oscillation



Flipped upside down

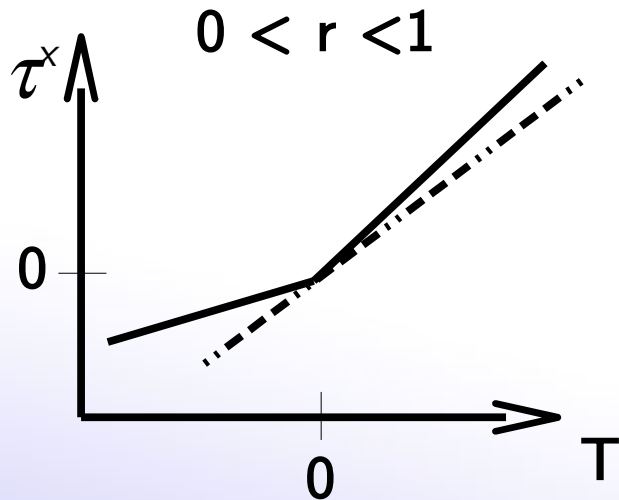


Modified delayed Oscillator



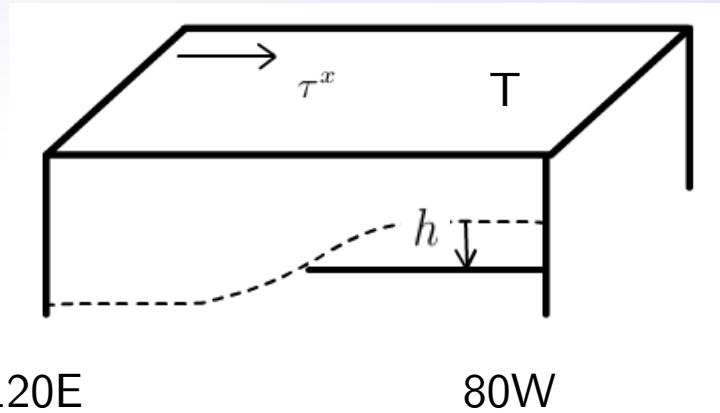
$$\frac{\partial T}{\partial t} = -bT + c\tau^x(t - t_1) - d\tau^x(t - t_2)$$

$$\tau^x = \gamma T + r\gamma |T| + N(0, \sigma)$$



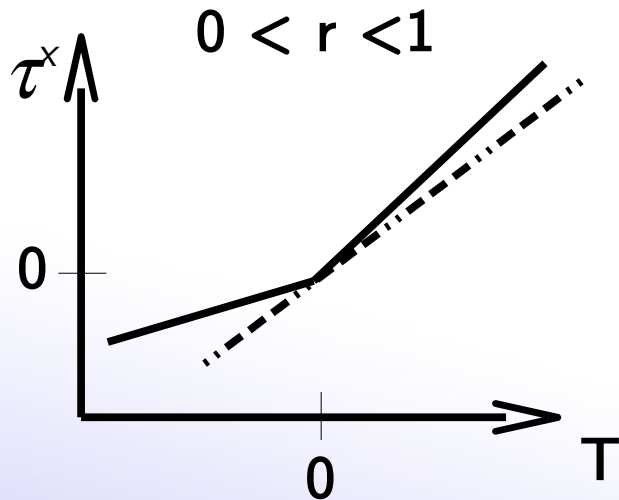
- NCEP1 : $r \sim 0\%$
- FSU : $r \sim 26-38\%$
- ERA40 : $r \sim 21-27\%$
- MERRA: $r \sim 19\%$
- CM2.1 : $r \sim 46\%$
- CM2.5 : $r \sim 15\%$
- AM2.1 : $r \sim 46\%$

Modified delayed Oscillator



$$\frac{\partial T}{\partial t} = -bT + c\tau^x(t - t_1) - d\tau^x(t - t_2) - \epsilon T^3$$

$$\tau^x = \gamma T + r\gamma |T| + N(0, \sigma)$$



- NCEP1 : $r \sim 0\%$
- FSU : $r \sim 26-38\%$
- ERA40 : $r \sim 21-27\%$
- MERRA: $r \sim 19\%$
- CM2.1 : $r \sim 46\%$
- CM2.5 : $r \sim 15\%$
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